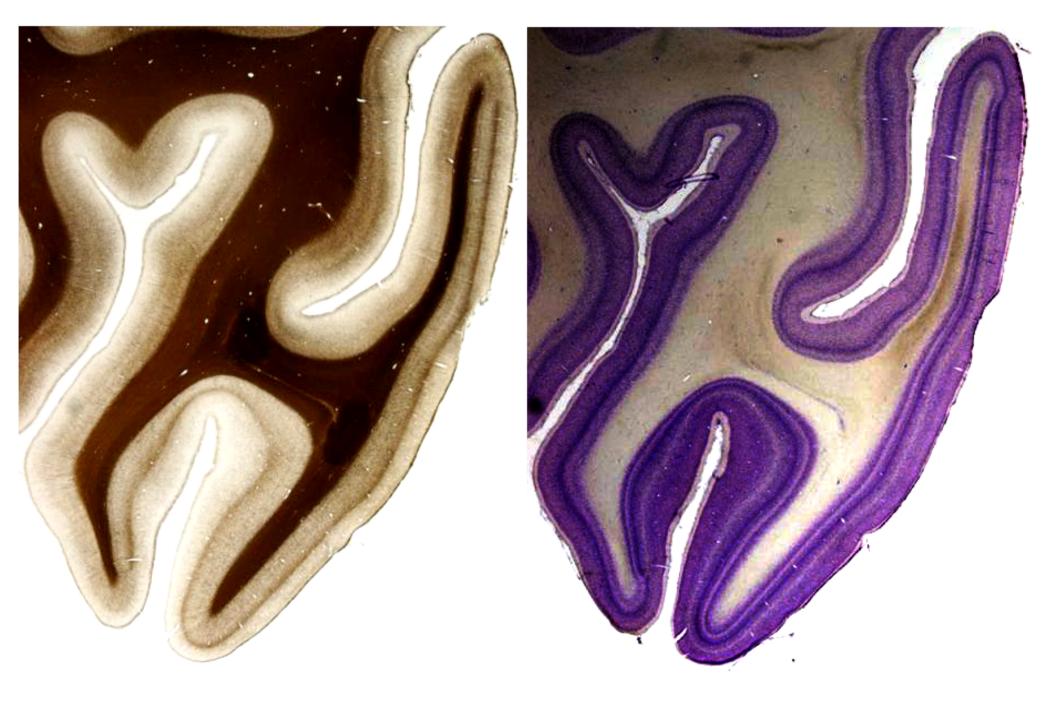
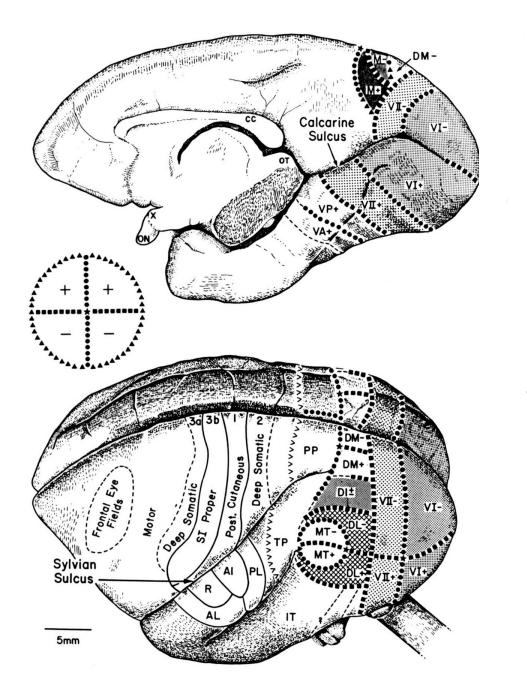
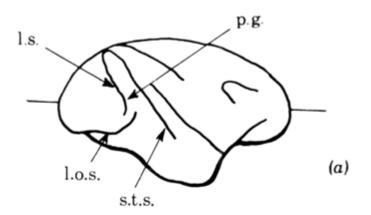
# Macaque V1

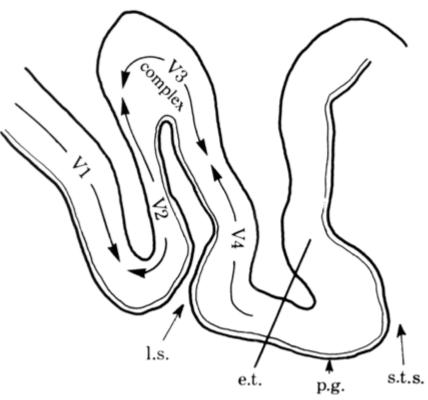
# Myelin

Nissl

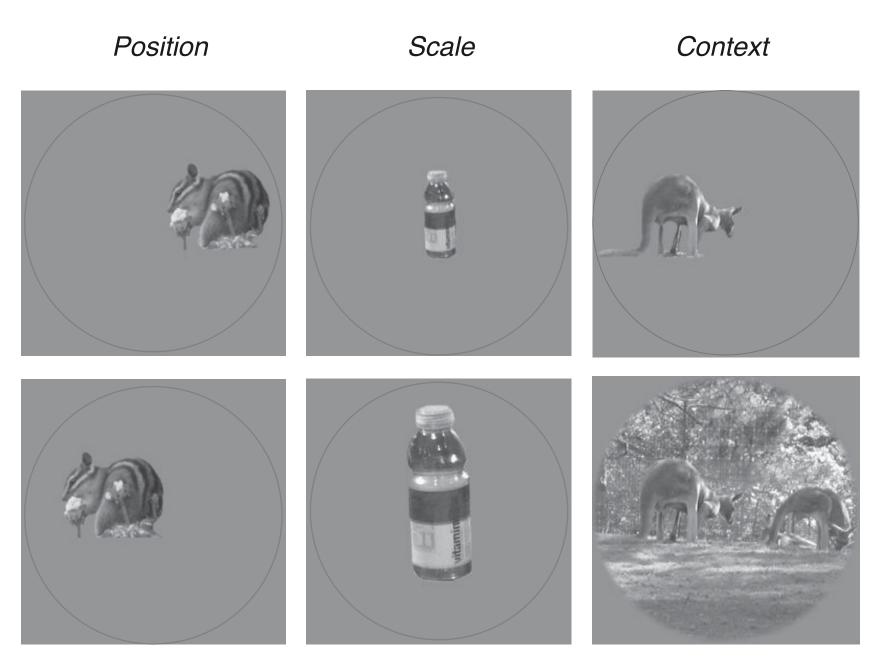








## IT neurons are tolerant to identity-preserving transformations



Rust & DiCarlo, 2012

Selectivity and invariance

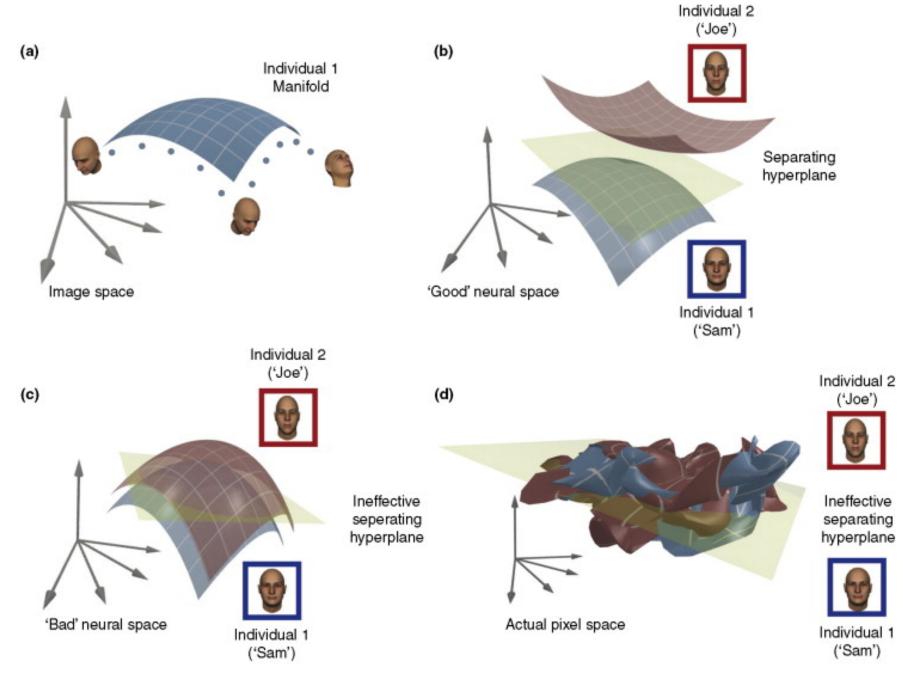
Invariance

Image dimension

The geometry of selectivity and invariance. The three axes are three image dimensions (e.g., the values of three pixels in an image). Real images require several thousand dimensions, but we use three for simple visualization. Any point in the space corresponds to a different image. The gray surface represents a continuous subset, or manifold, of images of a particular object. If a hypothetical neural population effectively encodes this object's identity, all object images from this manifold will yield patterns of neural responses that are distinguishable from the patterns of responses induced by other sets of images. Moving along the surface of the manifold changes the image itself but maintains the ability of the neural population to discriminate the image from others. This is a direction of invariance. Moving away from, or orthogonal to, the surface of the manifold shown here corresponds to a set of population responses that are selective for proboscis monkeys, not just for image patches with similar color and texture, but are also invariant to changes in size (near vs far) and context (face only vs face and body).

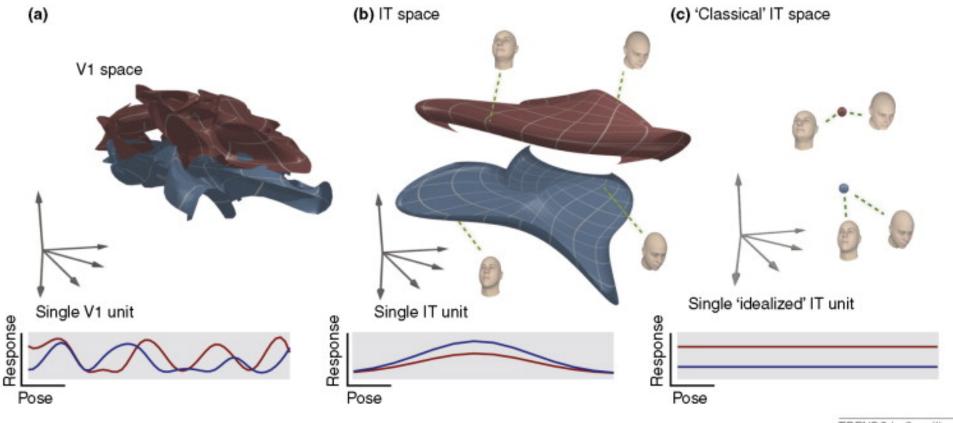
Freeman & Ziemba, 2011

## **Object tangling**



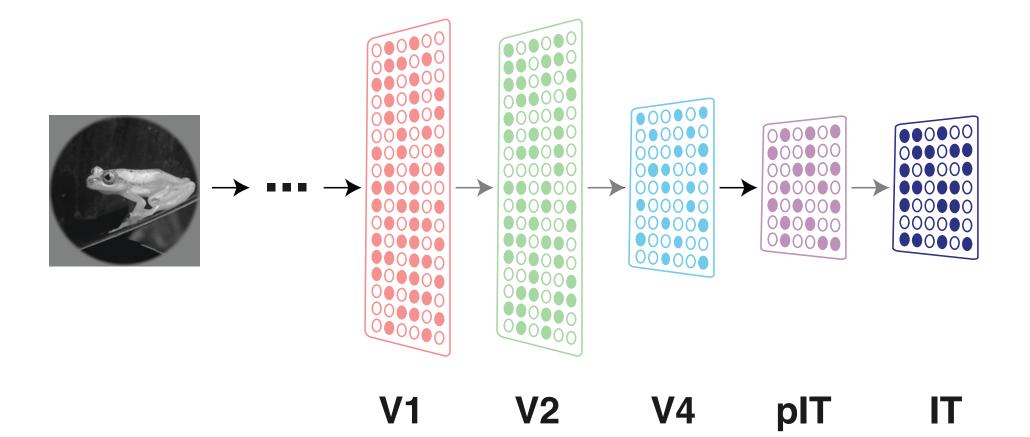
DiCarlo & Cox, 2007

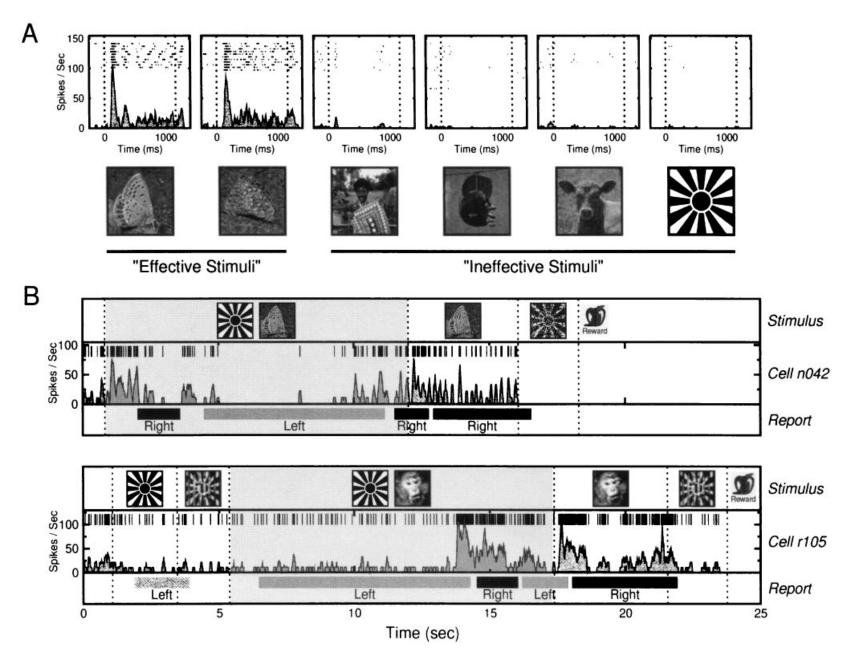
### Untangling object manifolds along the ventral visual stream



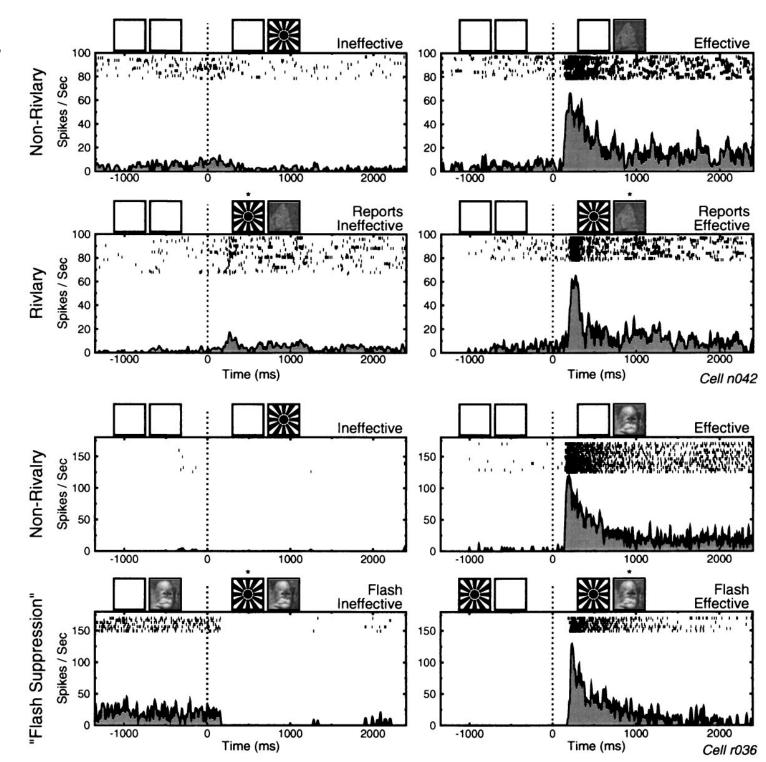
TRENDS in Cognitive Sciences

The form processing pathway maintains an "equally distributed" representation of images



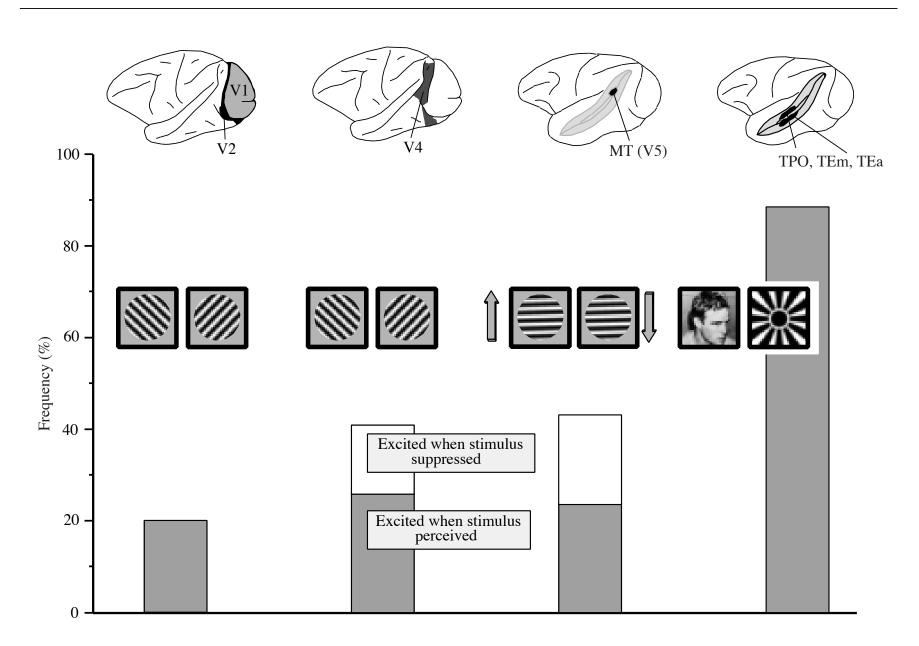


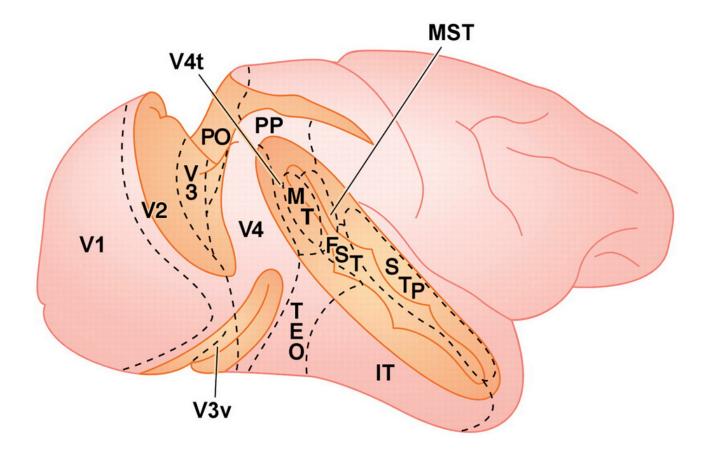
*Correlation of IT activity and perceptual state during binocular rivalry (Sheinberg and Logothetis, 1997)* 



## Correlation of IT activity and perceptual state during binocular rivalry (Logothetis, 1998)



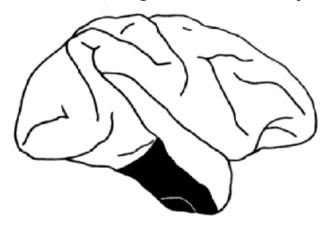




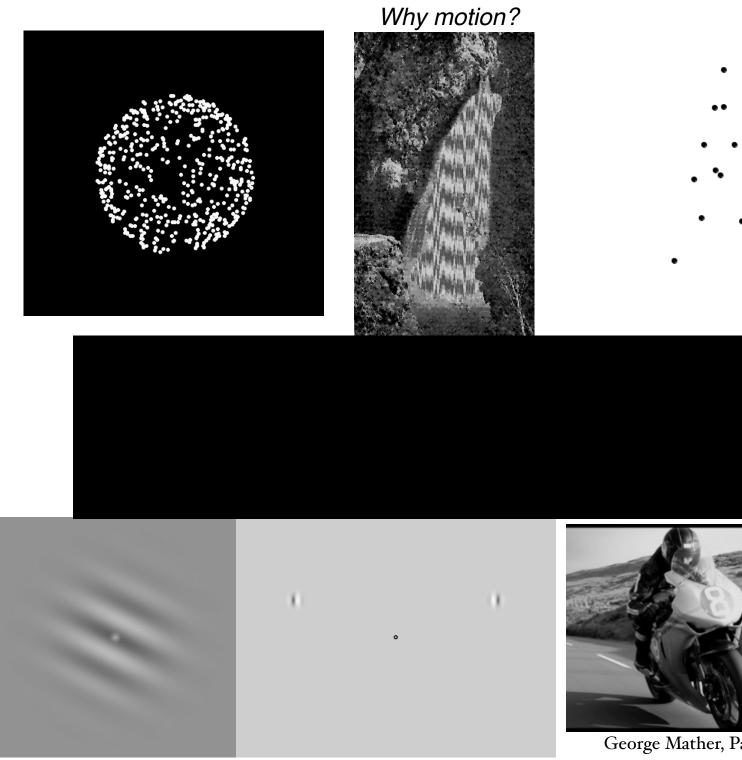
Dorsal pathway Space, motion, action



*Ventral pathway Form, recognition, memory* 



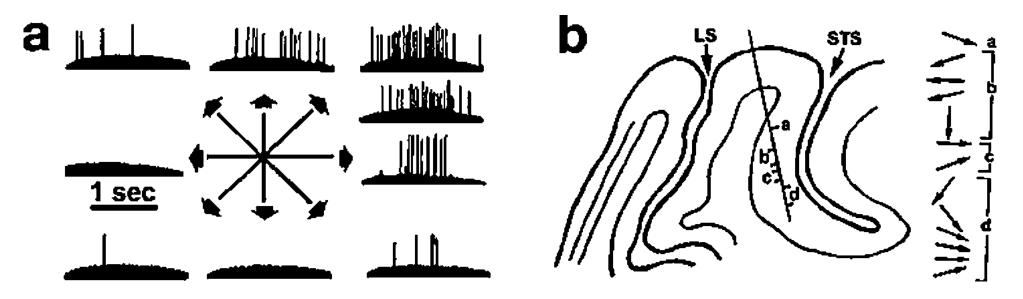
Ungerleider & Mishkin, 1982





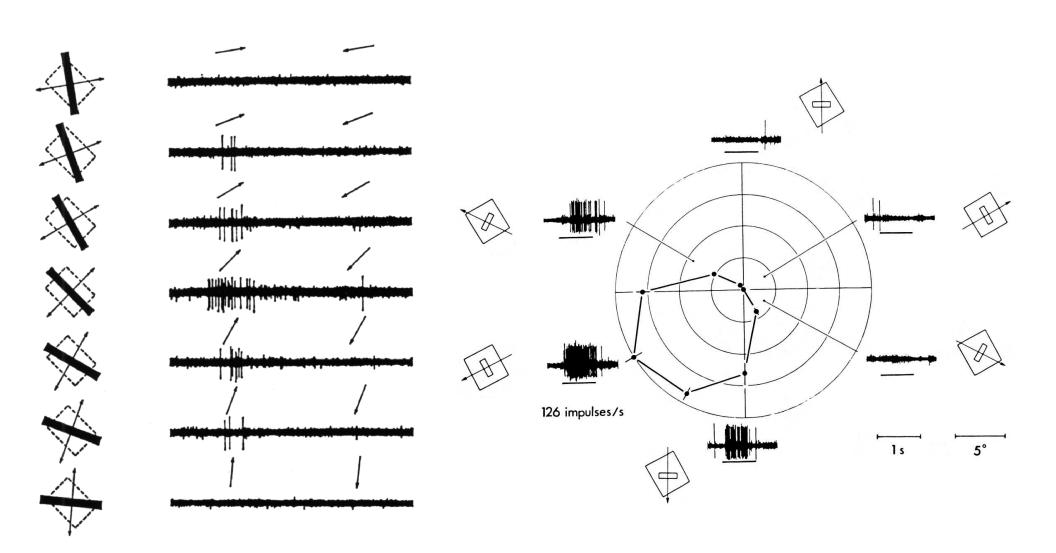
George Mather, Patrick Cavanagh, and others

GM



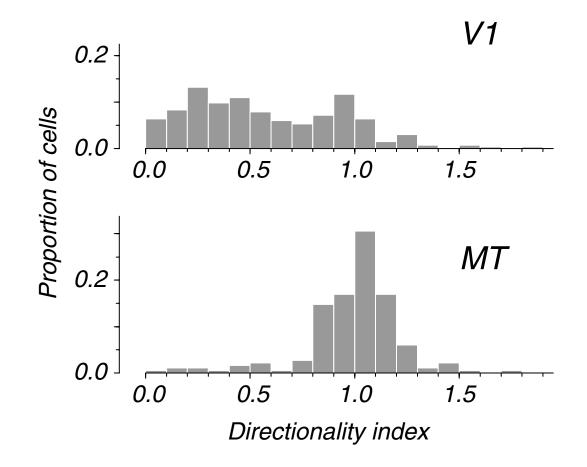
### Figure 1

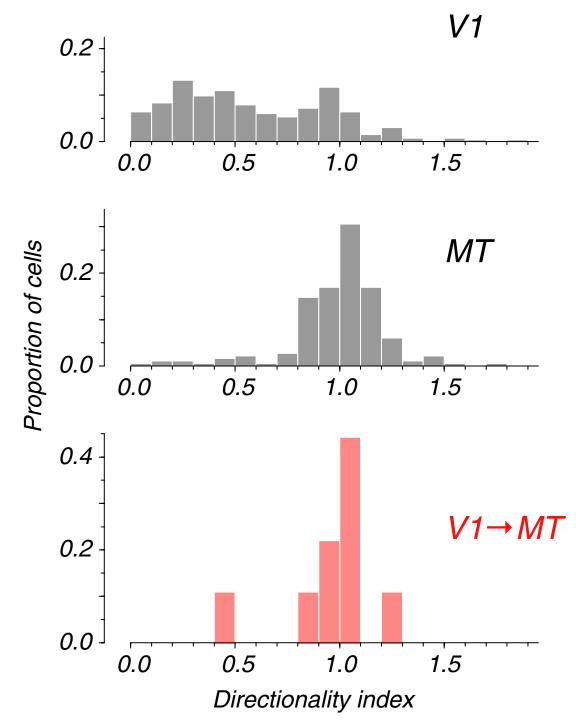
First demonstration of direction selectivity in macaque MT/V5 by Dubner & Zeki (1971). (*a*) Neuronal responses to a bar of light swept across the receptive field in different directions (modified from figure 1 of Dubner & Zeki 1971). Each trace shows the spiking activity of the neuron as the bar was swept in the direction indicated by the arrow. The neuron's preferred direction was up and to the right. (*b*) Oblique penetration through MT (modified from figure 3 of Dubner & Zeki 1971) showing the shifts in preferred direction indicative of the direction columns subsequently demonstrated by Albright et al. (1984). See also **Figure 4**.



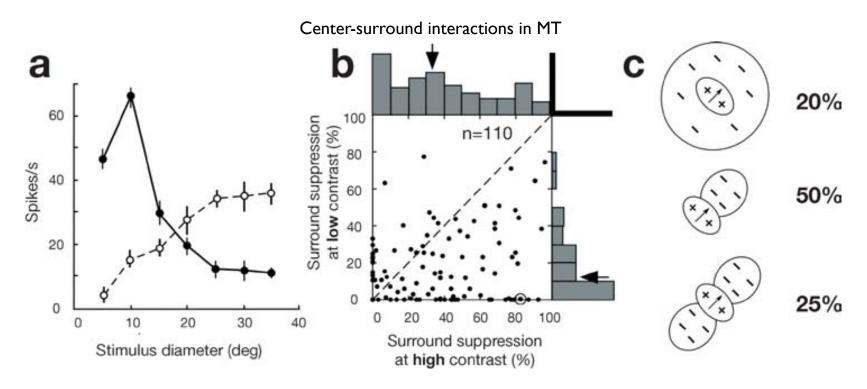
MT

V1





Movshon & Newsome, 1996



#### Figure 6

Center-surround interactions in MT. (A) Effect of contrast on center-surround interactions for one MT neuron. When tested with high-contrast random dots (RMS contrast 9.8 cd/m<sup>2</sup>) the neuron responded optimally to a circular dot patch 10° in diameter and was strongly suppressed by larger patterns. The same test using a low-contrast dot pattern (0.7 cd/m<sup>2</sup>) revealed strong area summation with increasing size. (B) Population of 110 MT neurons showing the strength of surround suppression measured at both high and low contrast. Surround suppression was quantified as the percent reduction in response between the largest dot patch (35° diameter) and the stimulus eliciting the maximal response. Each dot represents data from one neuron; the dashed diagonal is the locus of points for which the surround suppression was unchanged by contrast. The circled dot is the cell from panel A. (C) Asymmetries in the spatial organization of the suppressive surround (after Xiao et al. 1997). Different kinds of surround geometry are potentially useful for calculating spatial changes in flow fields that may be involved in the computation of structure from motion. Neurons whose receptive fields have circularly symmetric surrounds (*top*) are postulated to underlie figure-ground segregation. The first- (*middle*) and second-order (*bottom*) directional derivatives can be used to determine surface tilt (or slant) and surface curvature, respectively (Buracas & Albright 1996). Panels A and B are from Pack et al. 2005.

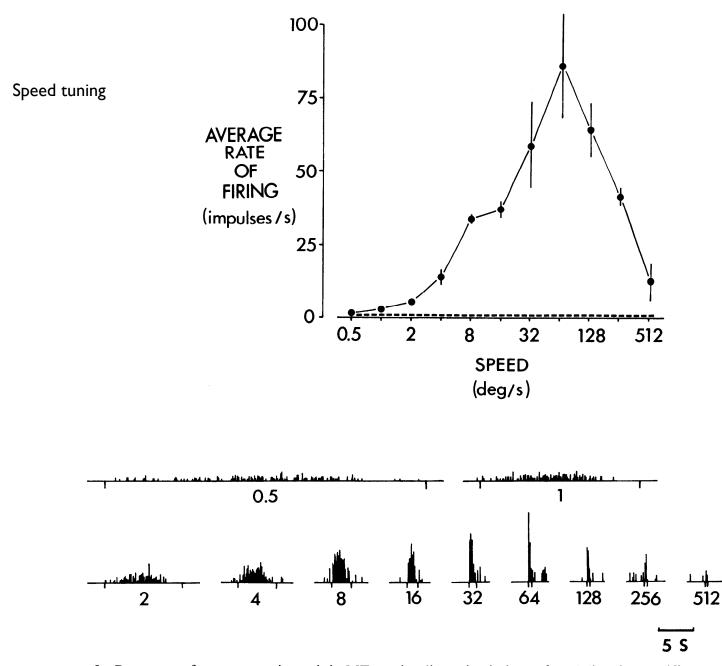
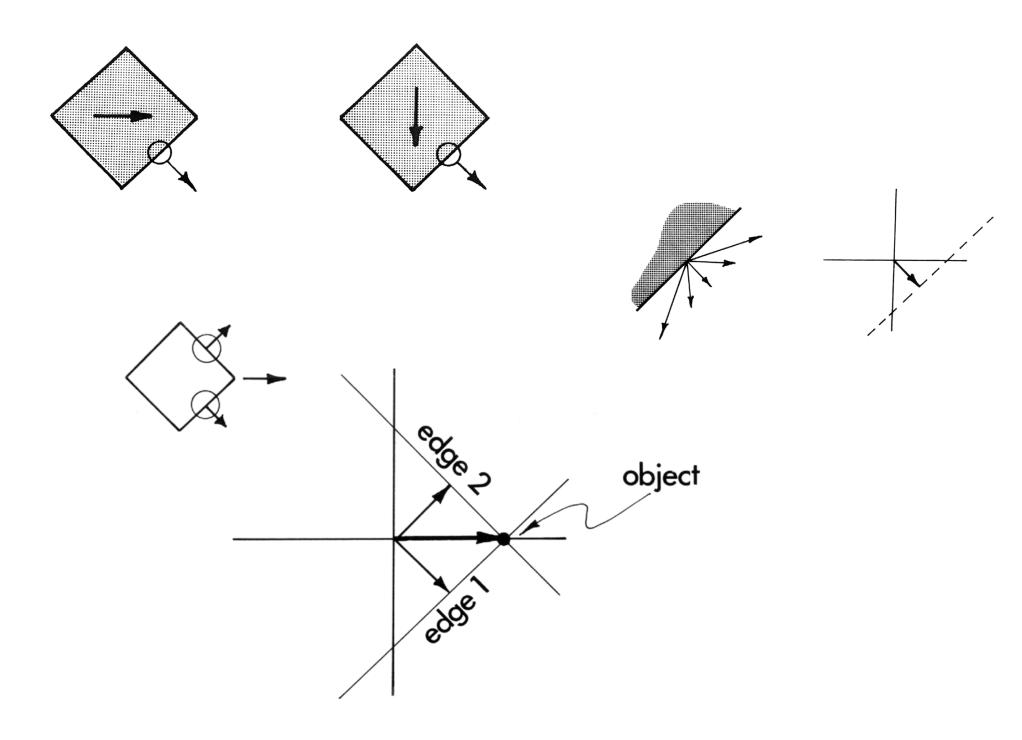
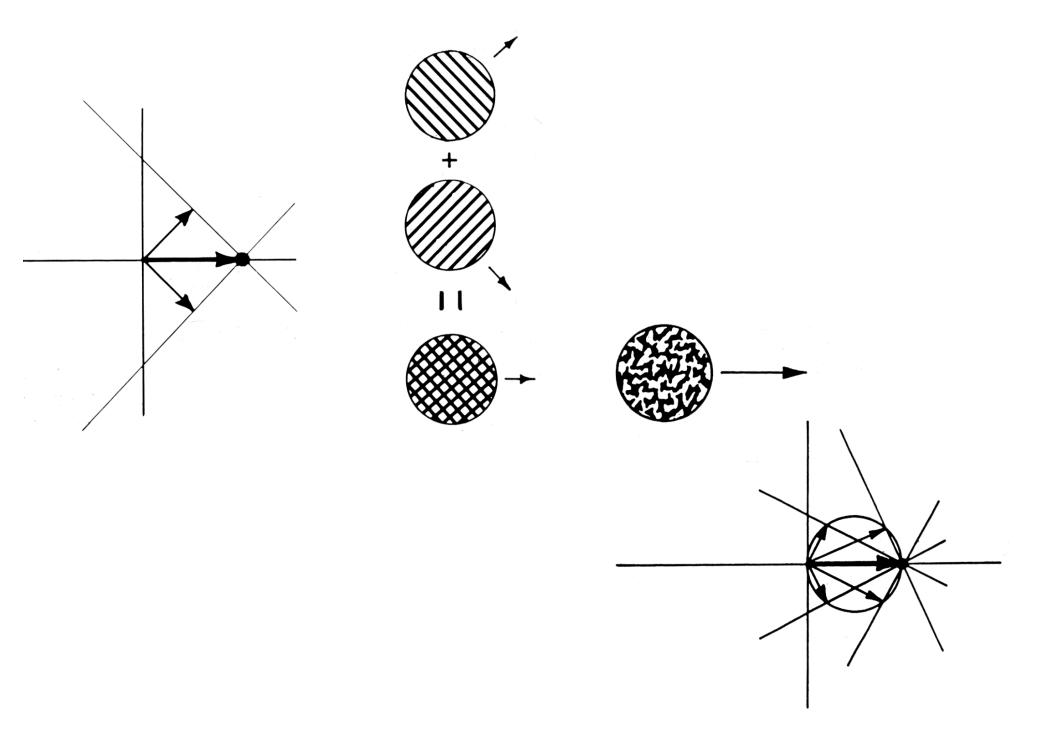
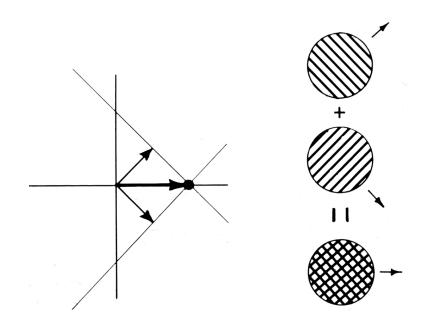


FIG. 5. Responses of a representative unit in MT to stimuli moving in its preferred direction at different speeds. In this and all subsequent plots the speed axis is logarithmic. Bars indicate the standard errors of the mean for five repetitions of each speed. A dashed line marks the background rate of firing. This unit, like most in MT, had a sharp peak in its response curve. Summed response histograms in the lower half of the figure show that the peak rate of firing closely follows the average rate of firing. Tic marks under each histogram denote times of stimulus onset and offset. The receptive field was 15° across and each stimulus traversed 20°.



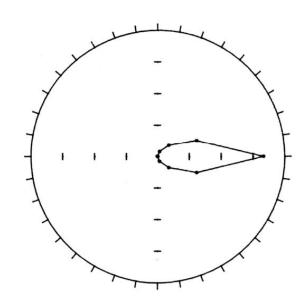


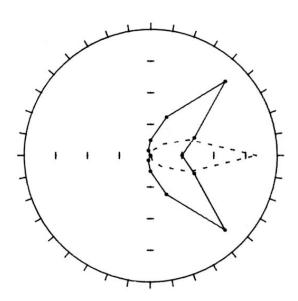
Gratings, plaids, and coherent motion



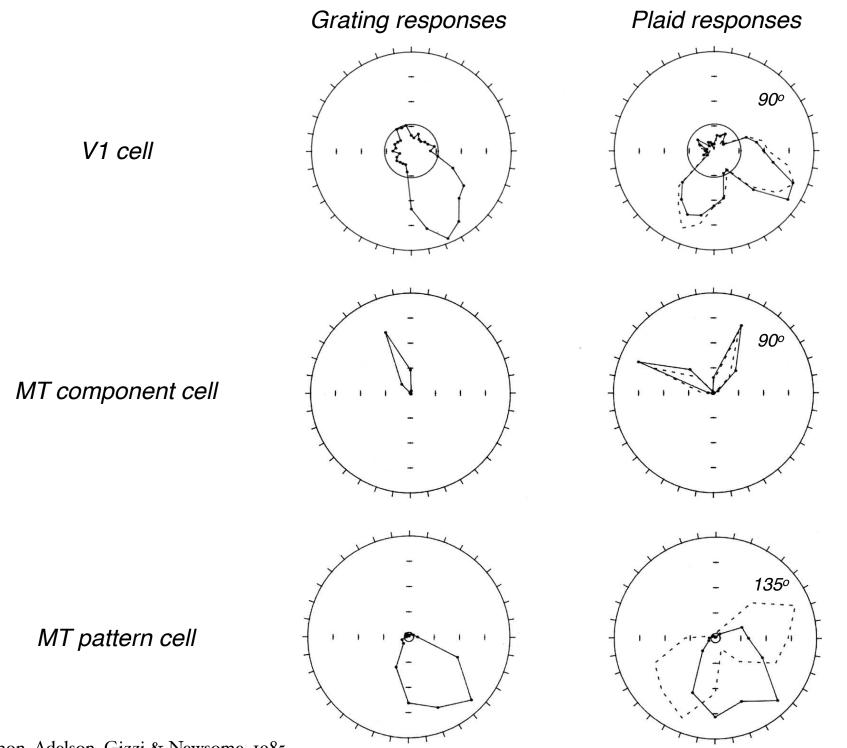
## Grating response

Predicted plaid response

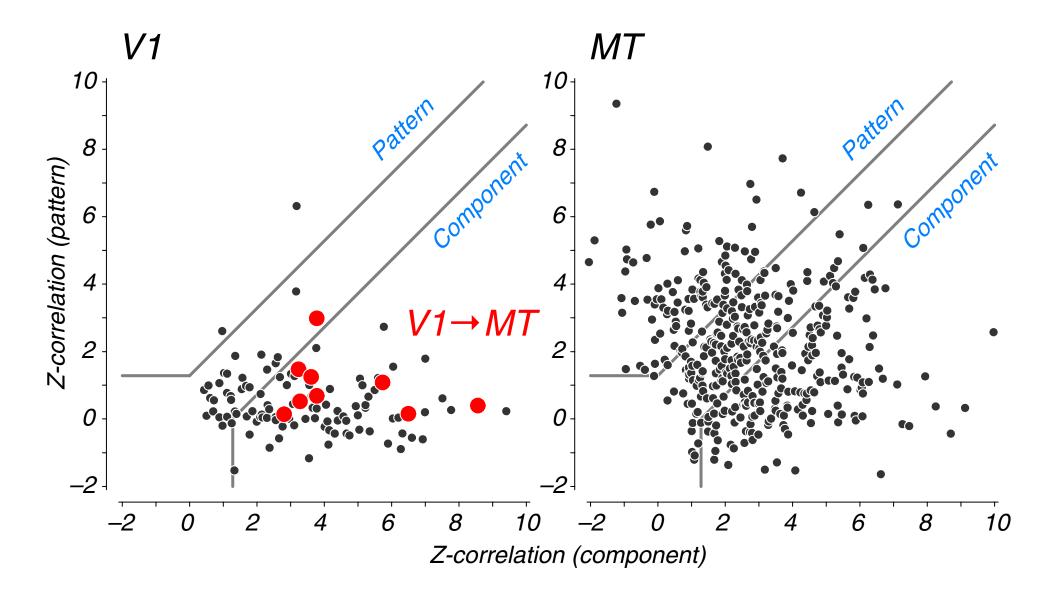




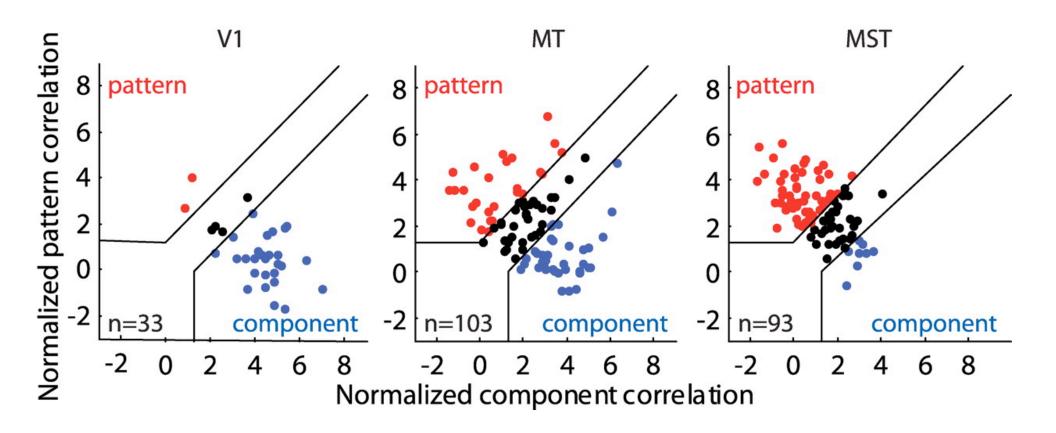
Movshon, Adelson, Gizzi & Newsome, 1985



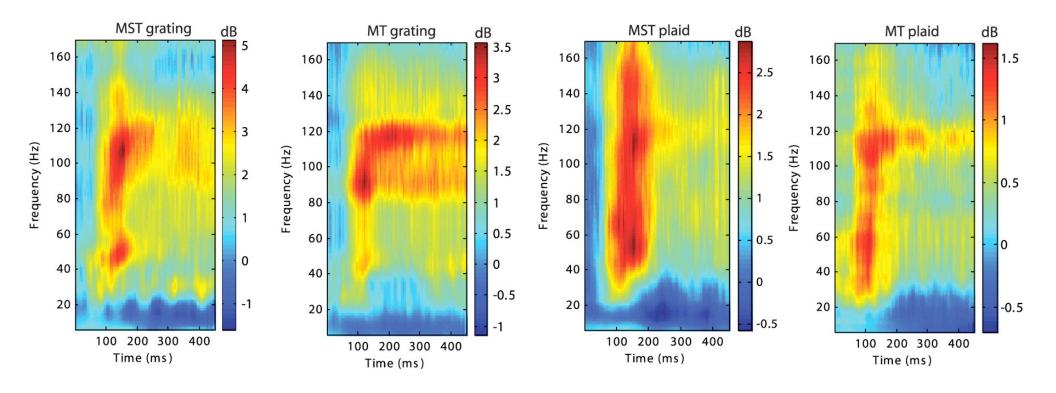
Movshon, Adelson, Gizzi & Newsome, 1985



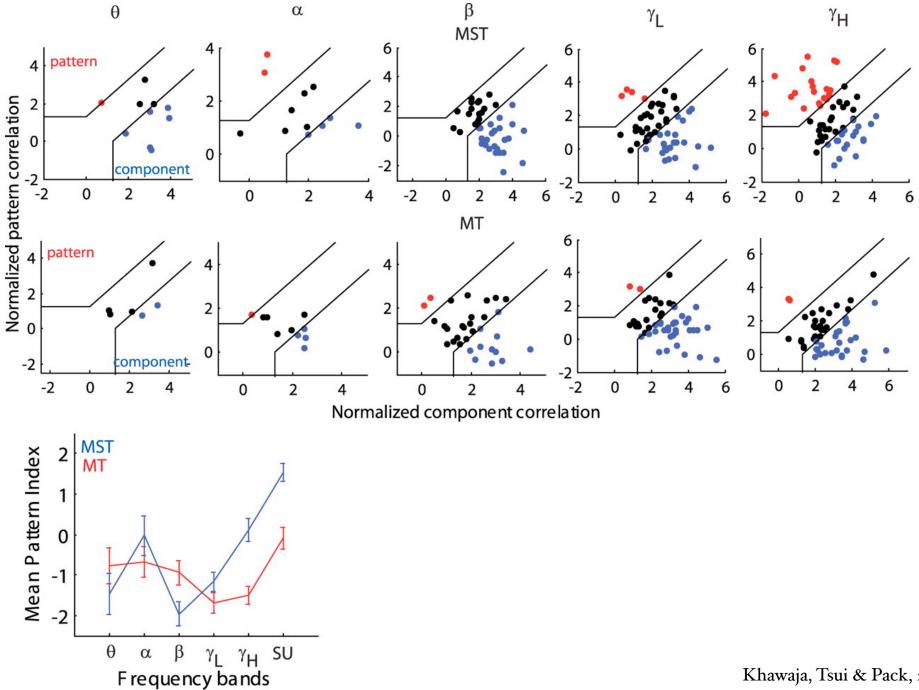
Movshon & Newsome, 1996



### Local field potentials may reveal stages in pattern computation



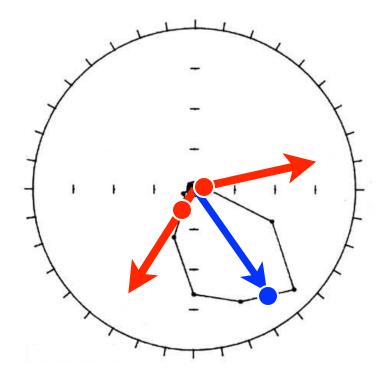
### Local field potentials may reveal stages in pattern computation



Khawaja, Tsui & Pack, 2009

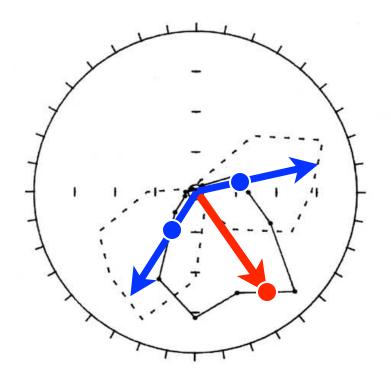
MT pattern cell

Grating responses

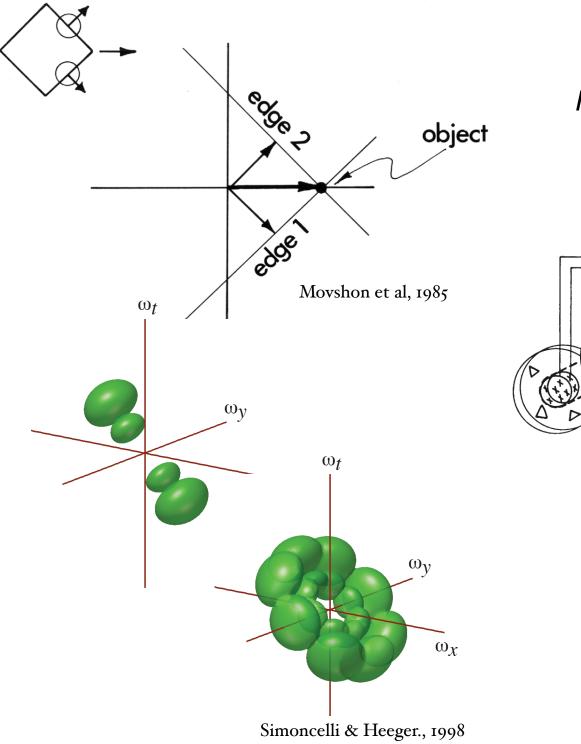


Components of the optimal plaid

Plaid responses



Plaids containing the optimal grating



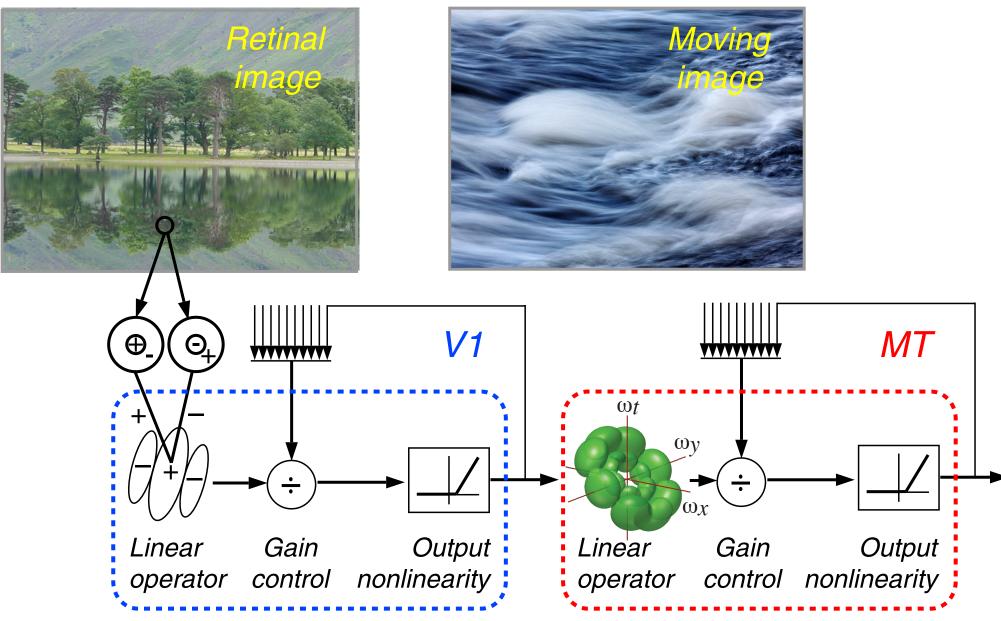
In search of a simple model

Lateral geniculate cells

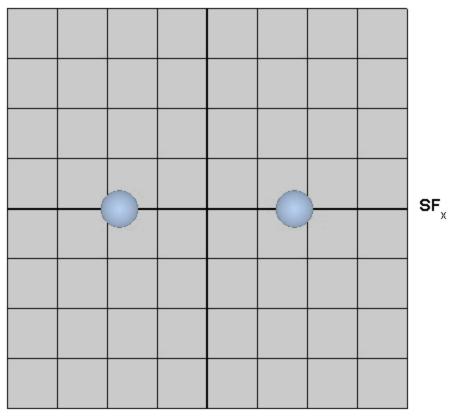
Simple cortical cell

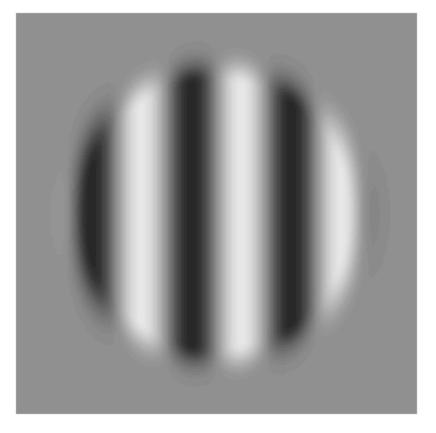
Hubel & Wiesel, 1962

# A simple and (mostly) feedforward model



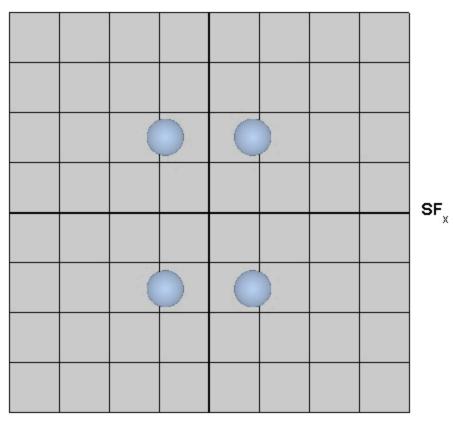
1D motion stimuli: gratings

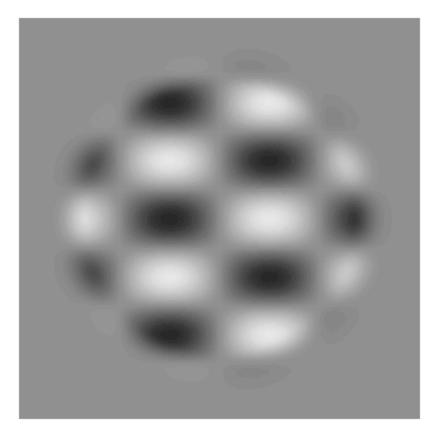




 $\mathbf{SF}_{\mathbf{y}}$ 

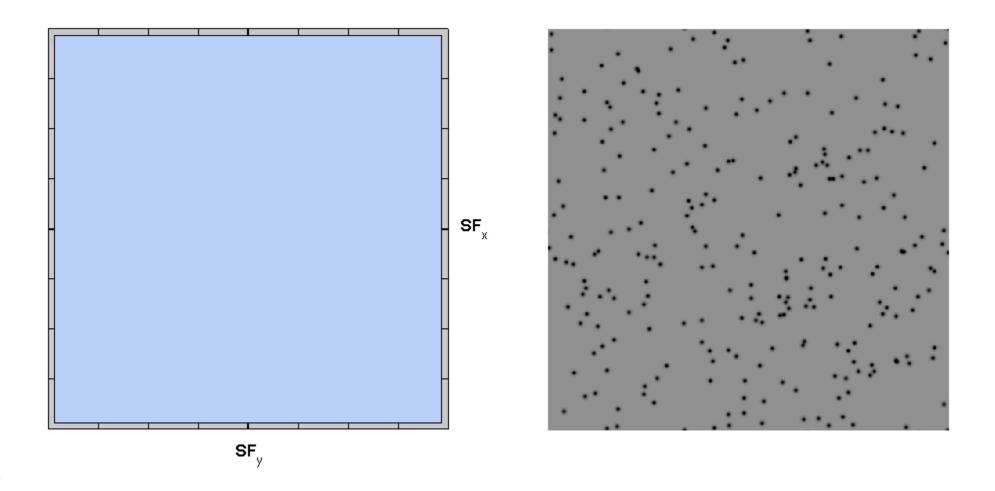
2D motion stimuli: plaids



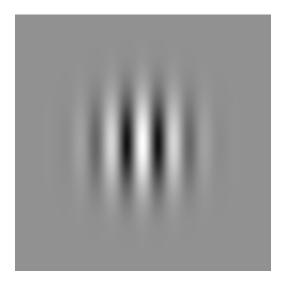


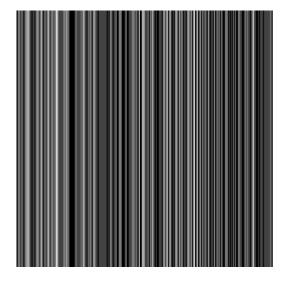
 $\mathbf{SF}_{\mathbf{y}}$ 

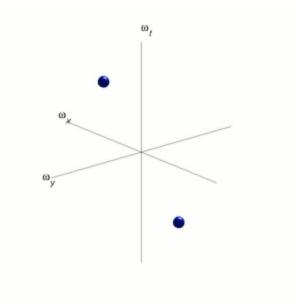
2D motion stimuli: textures

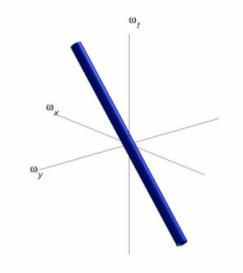


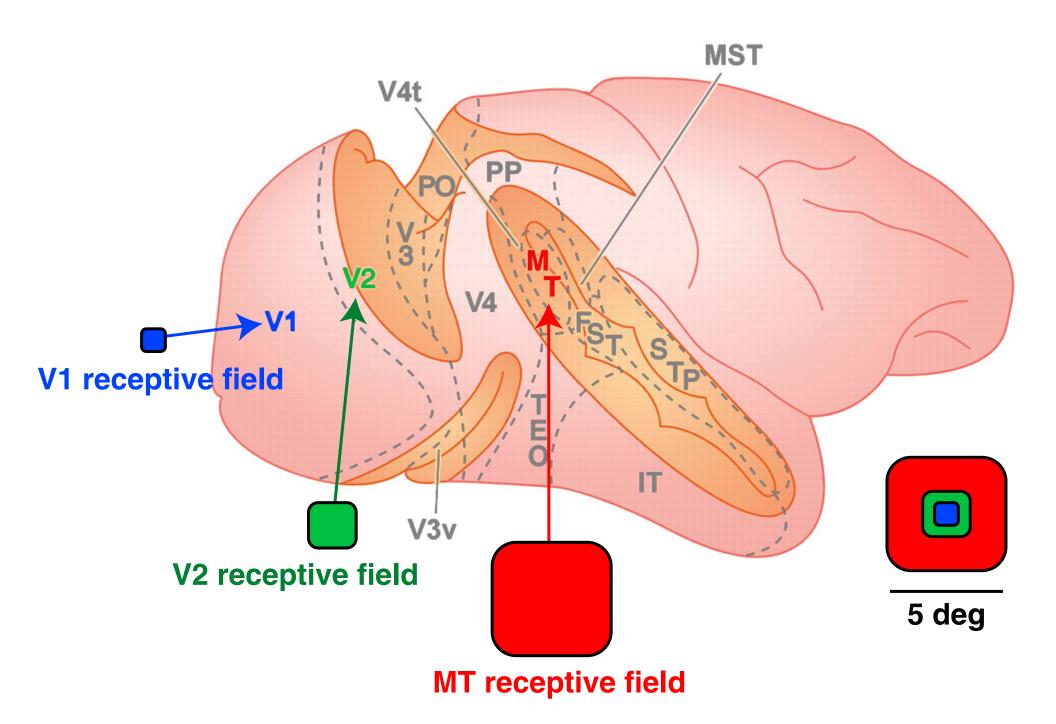
# 1D motion stimuli

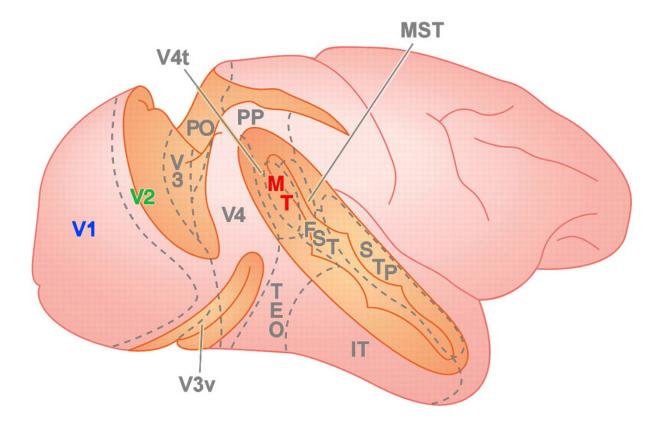






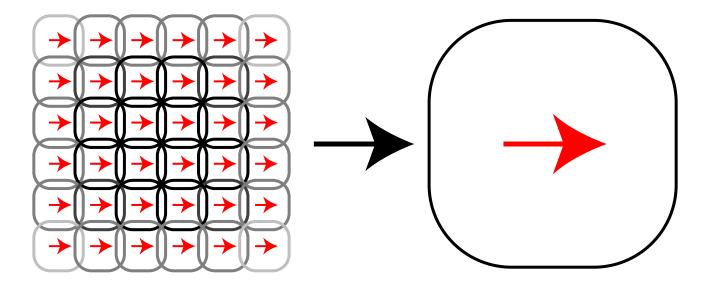




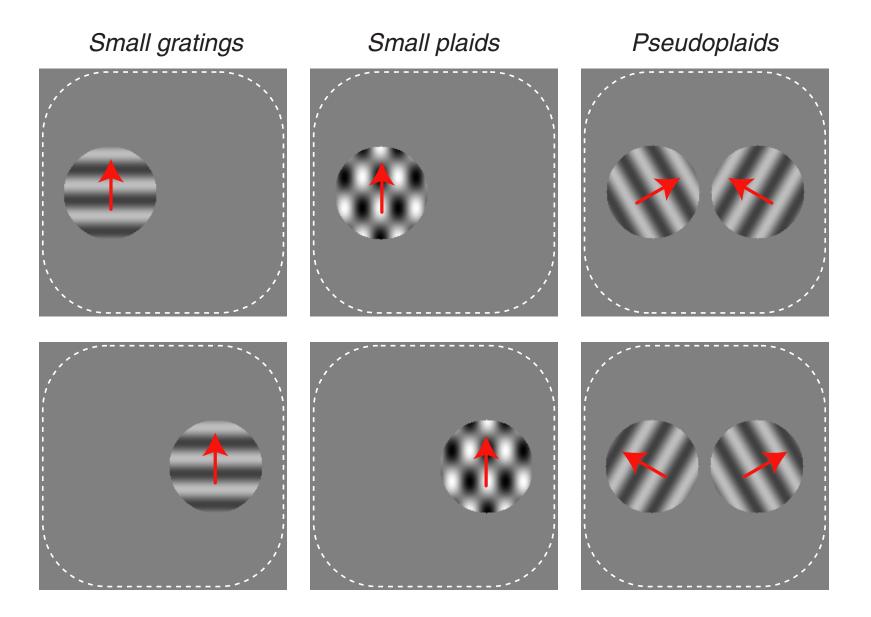


V1 receptive fields

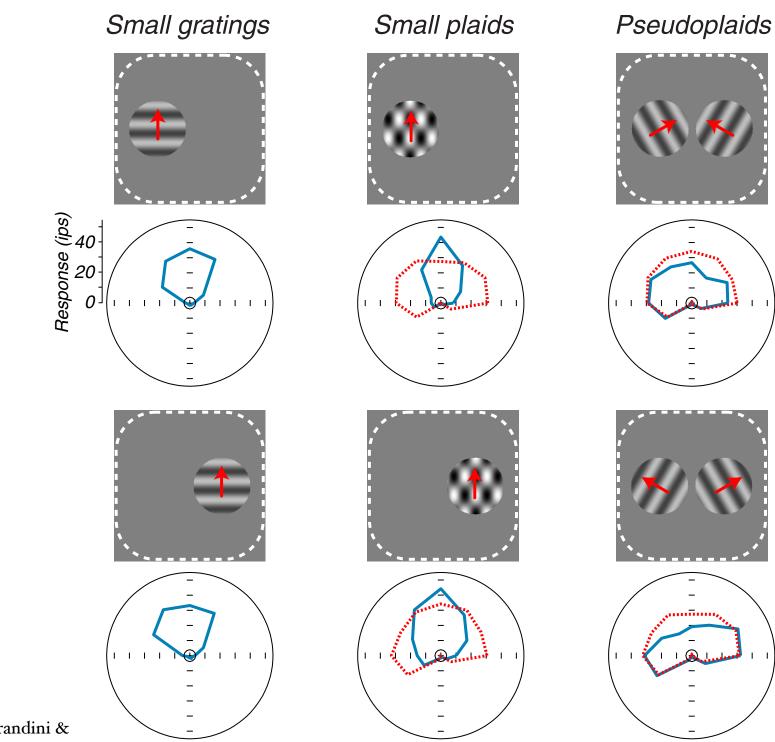
MT receptive field



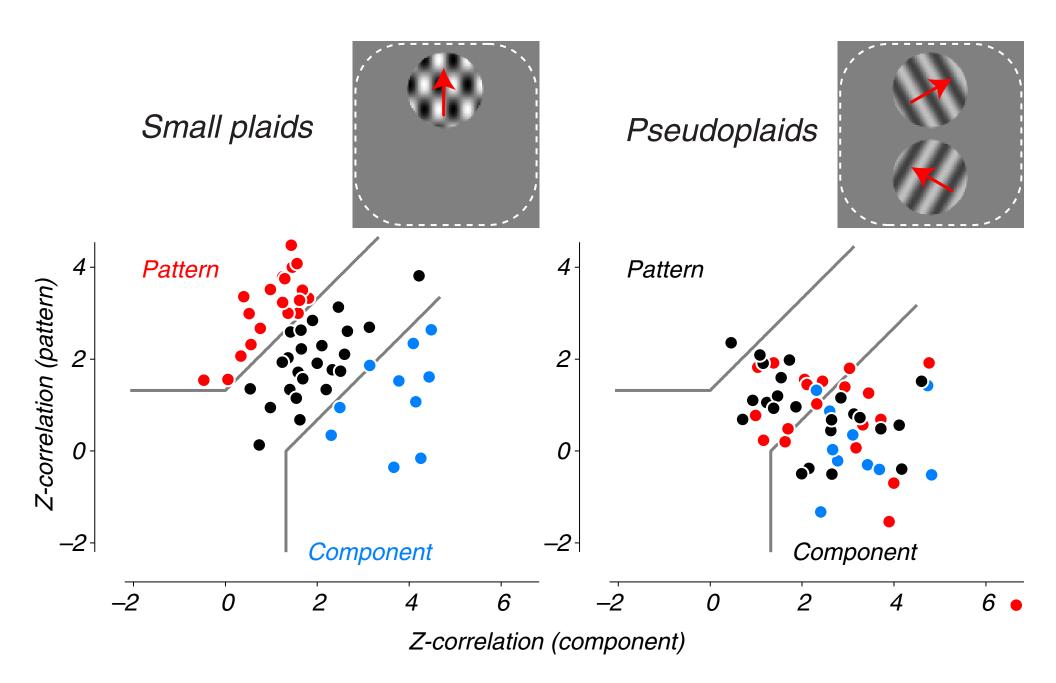
# Is pattern motion computed globally?



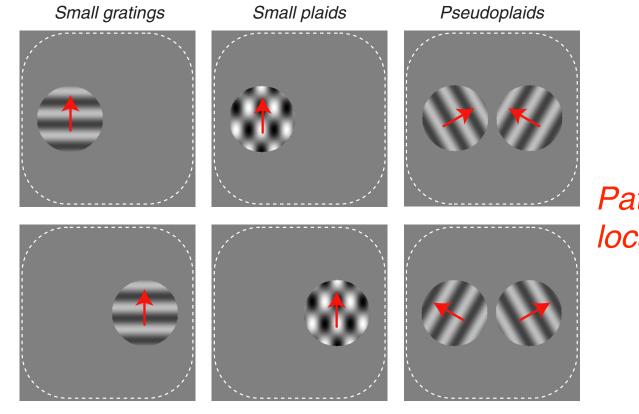
Majaj, Carandini & Movshon, 2007



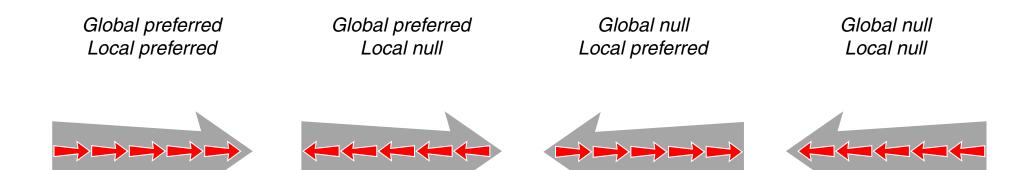
Majaj, Carandini & Movshon, 2007

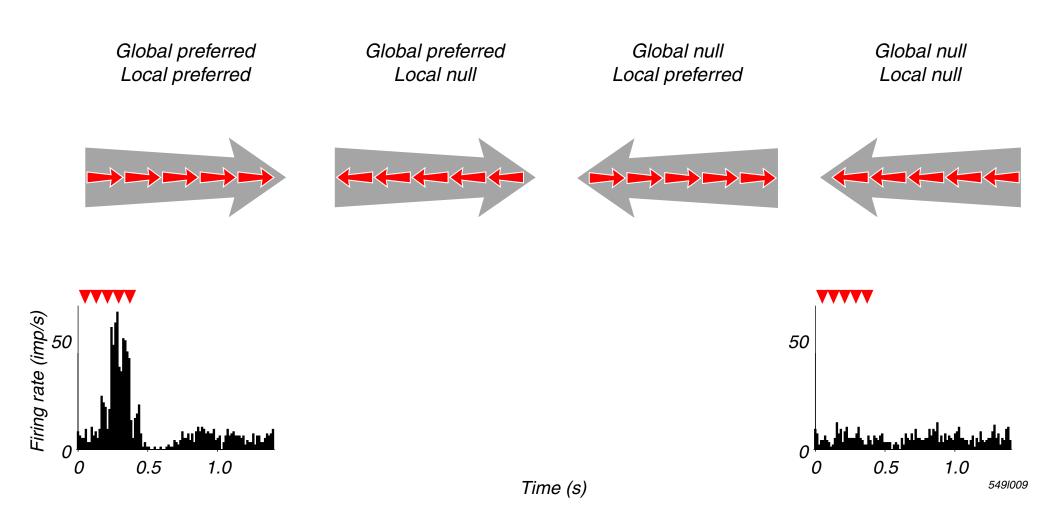


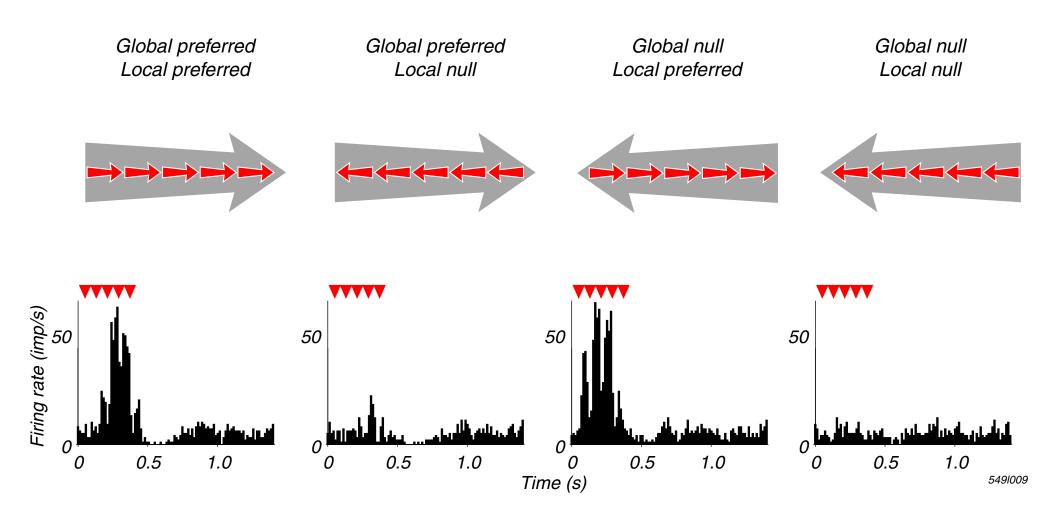
Majaj, Carandini & Movshon, 2007



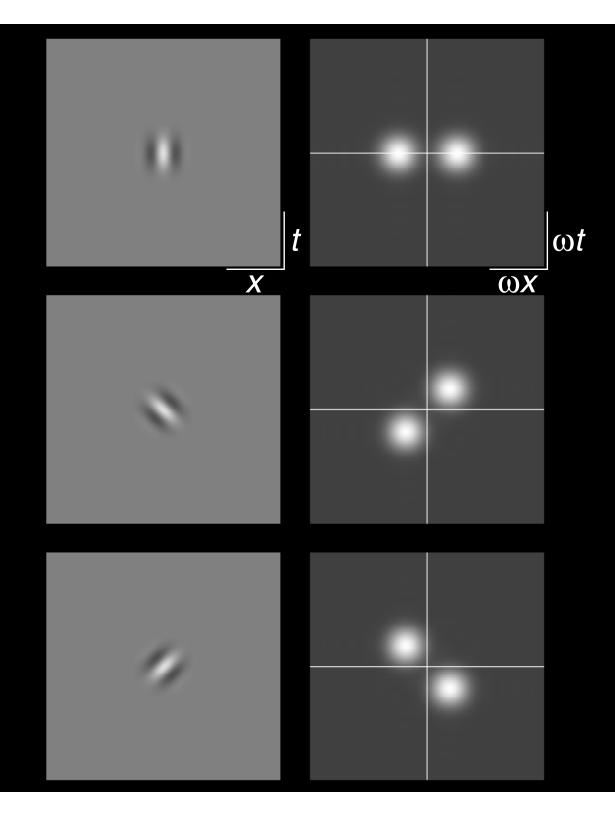
# Pattern motion is computed locally

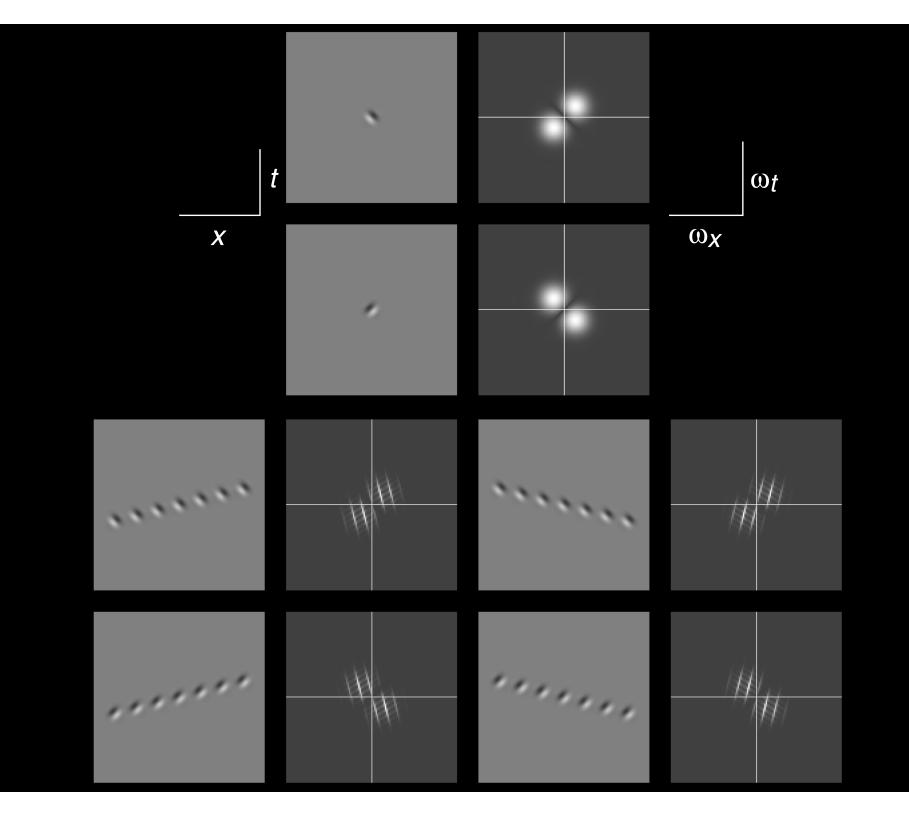


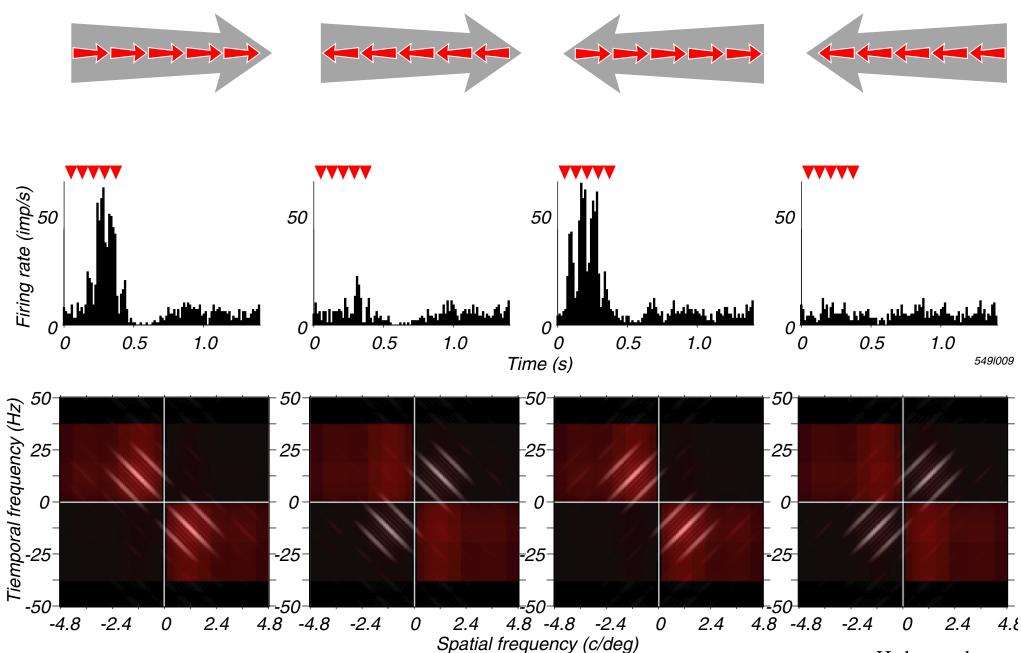




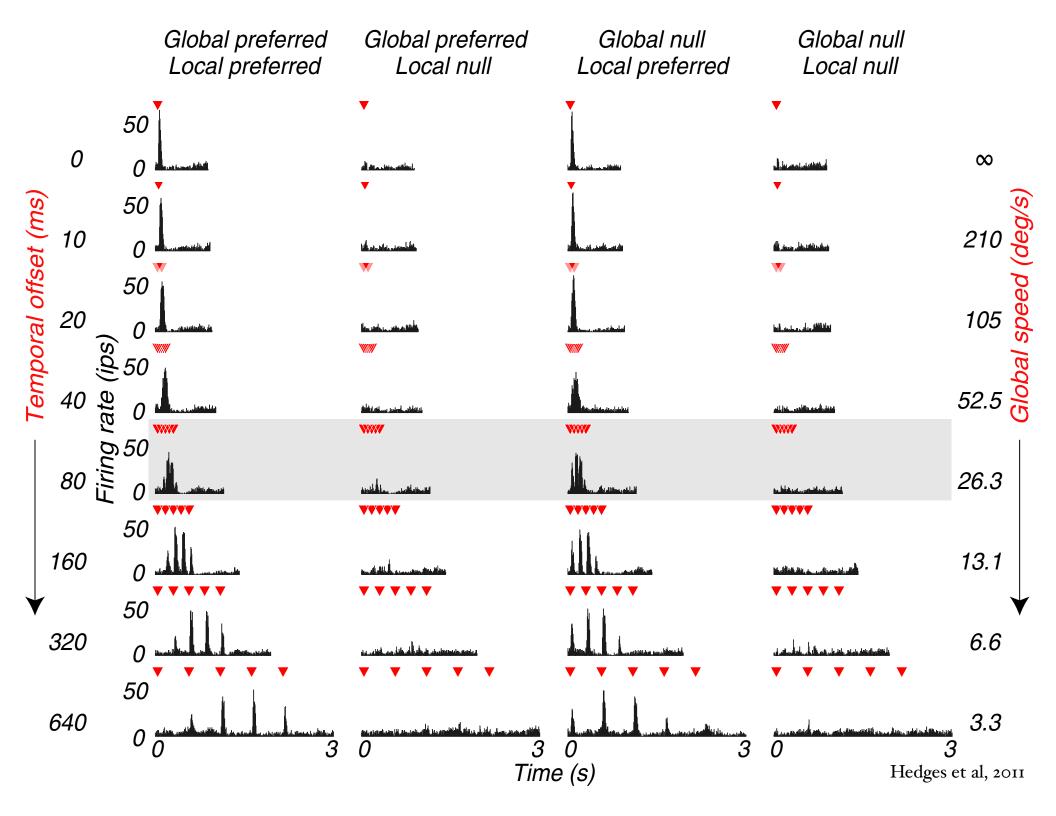
Hedges, Gartshteyn, Kohn, Rust, Shadlen, Newsome & Movshon, 2011

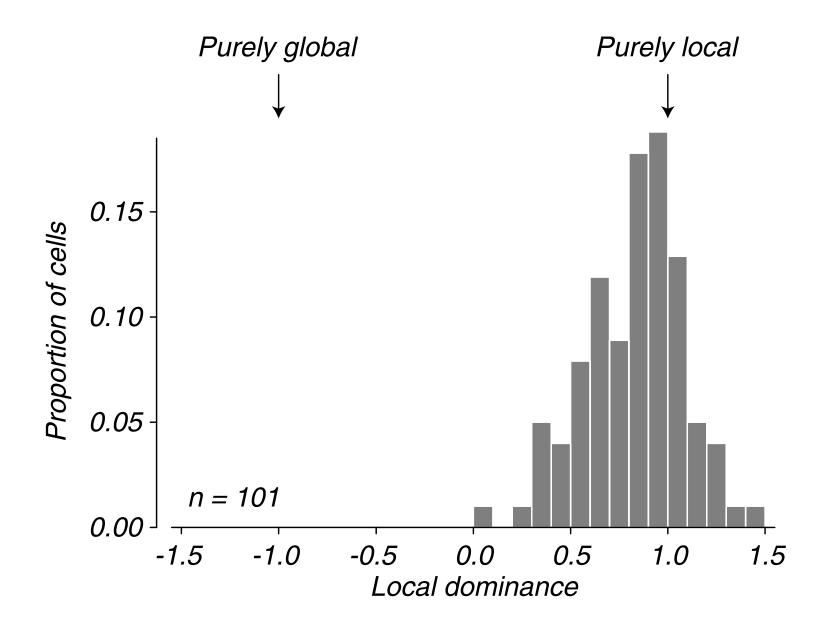




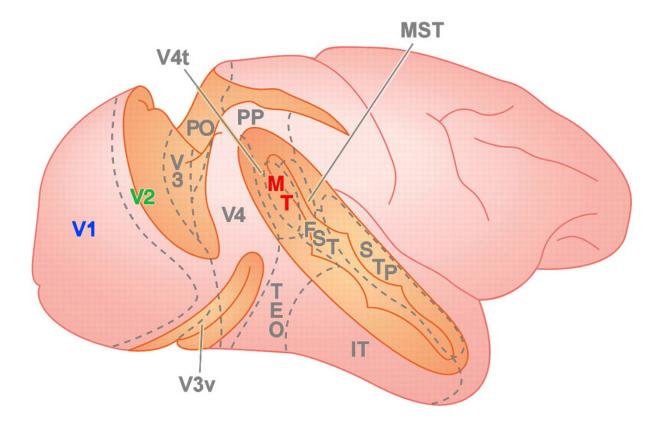


Hedges et al, 2011



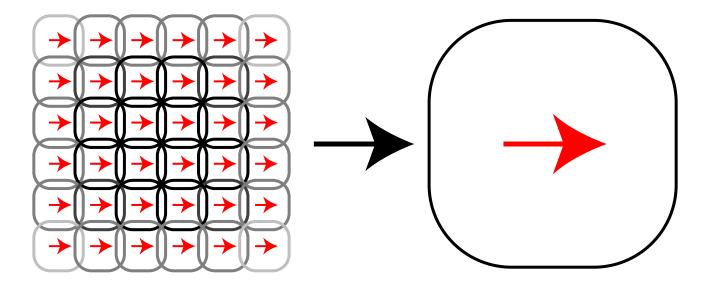


Hedges, Gartshteyn, Kohn, Rust, Shadlen, Newsome & Movshon, 2011

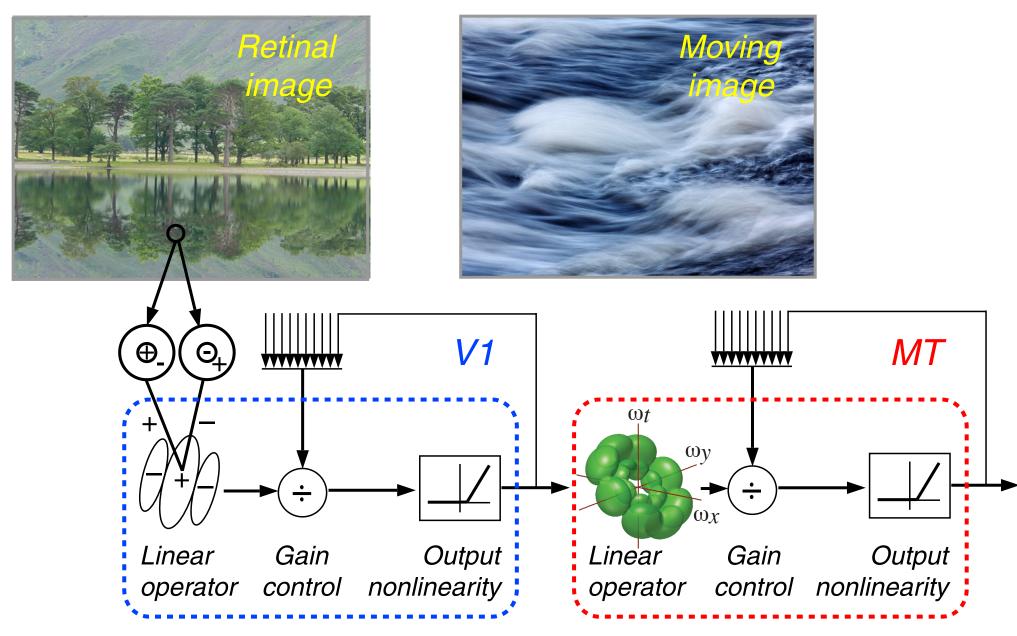


V1 receptive fields

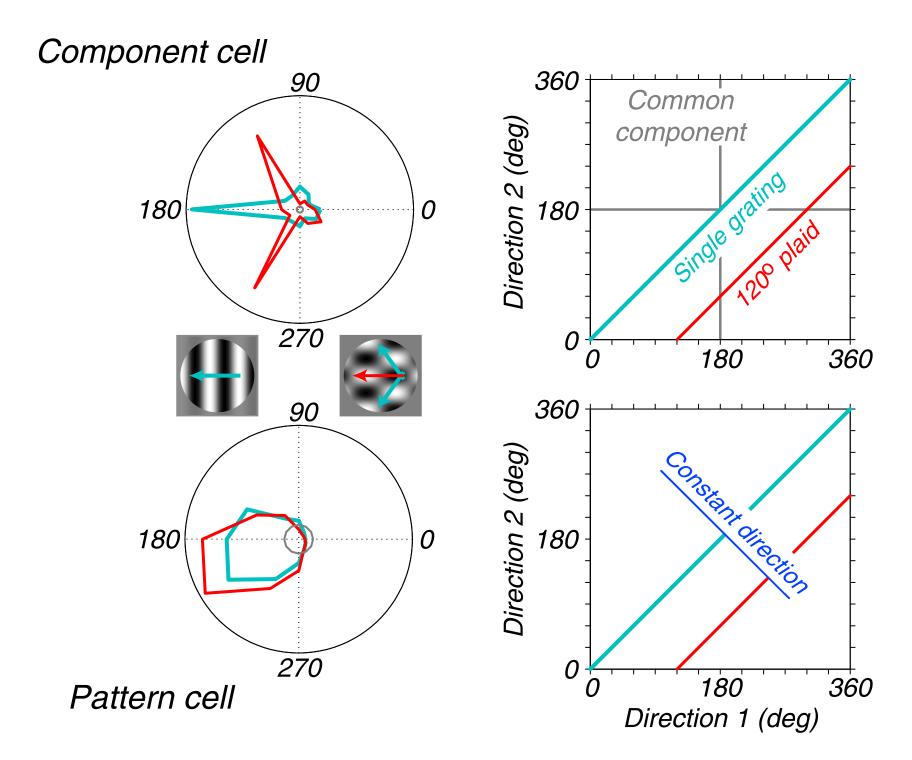
MT receptive field



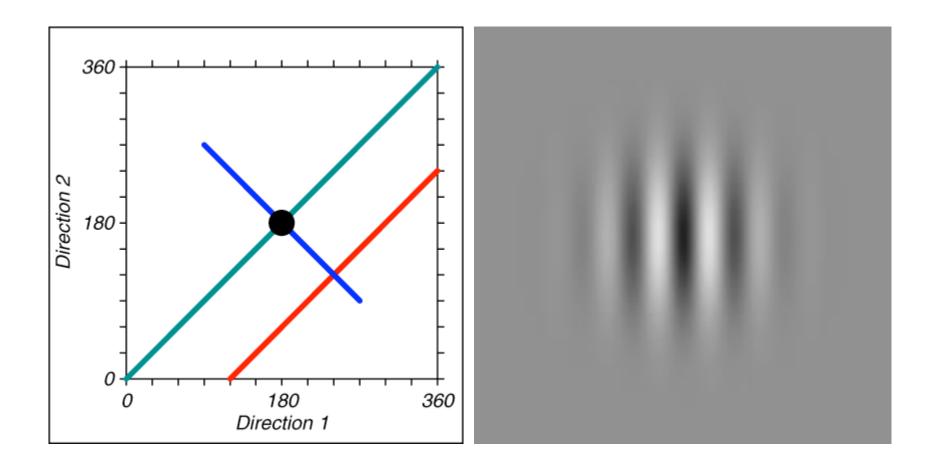
# A simple and (mostly) feedforward model



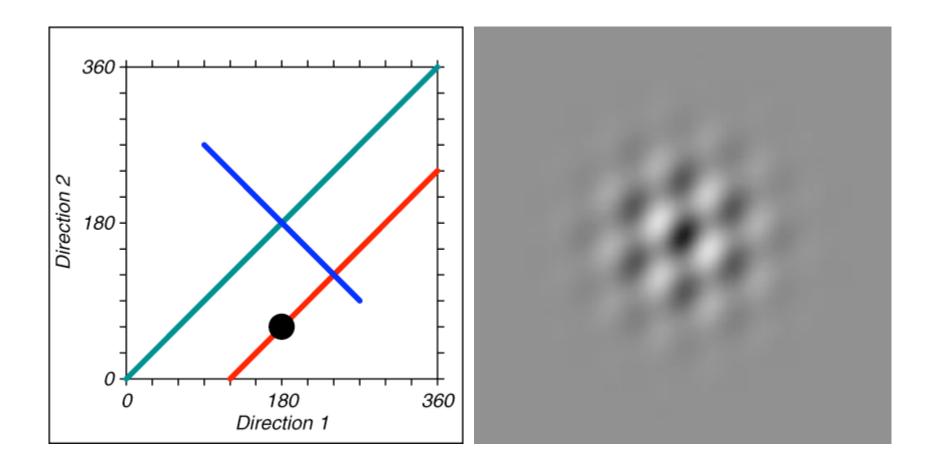
Simoncelli & Heeger, 1998; Rust, Mante, Simoncelli & Movshon, 2006



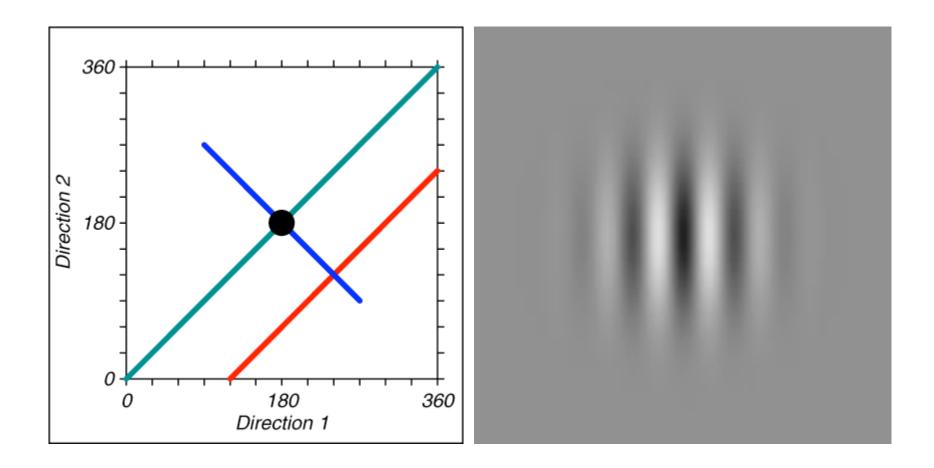
# Direction-interaction: Gratings



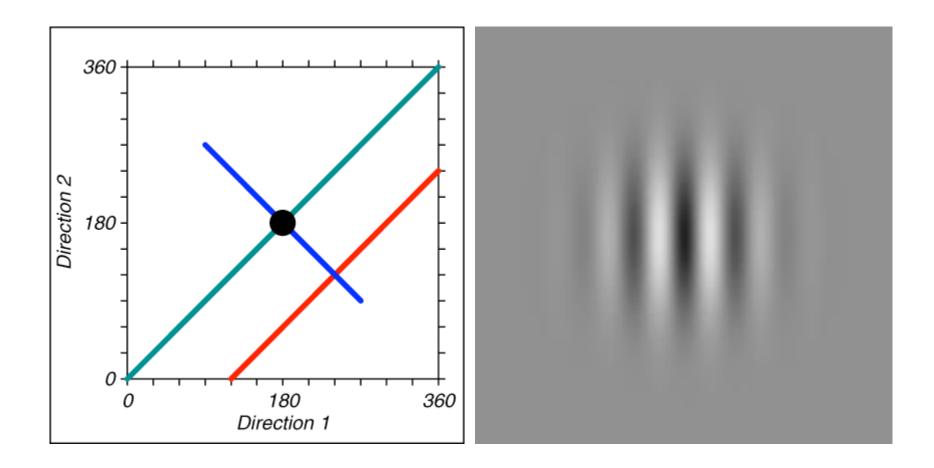
# Direction-interaction: Plaids



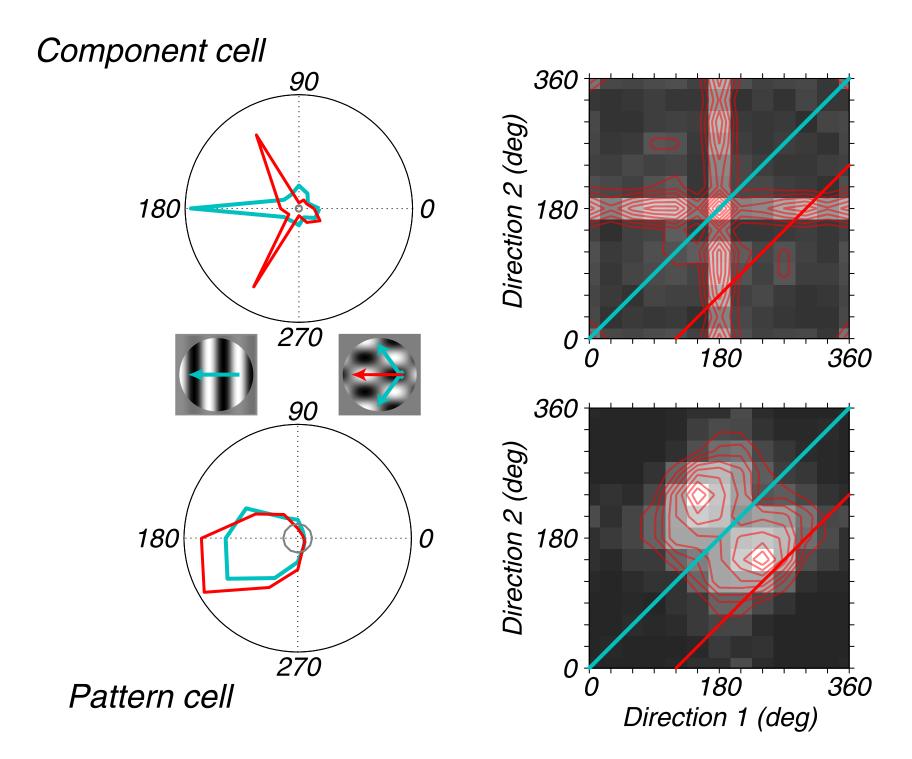
# Direction-interaction: One common component

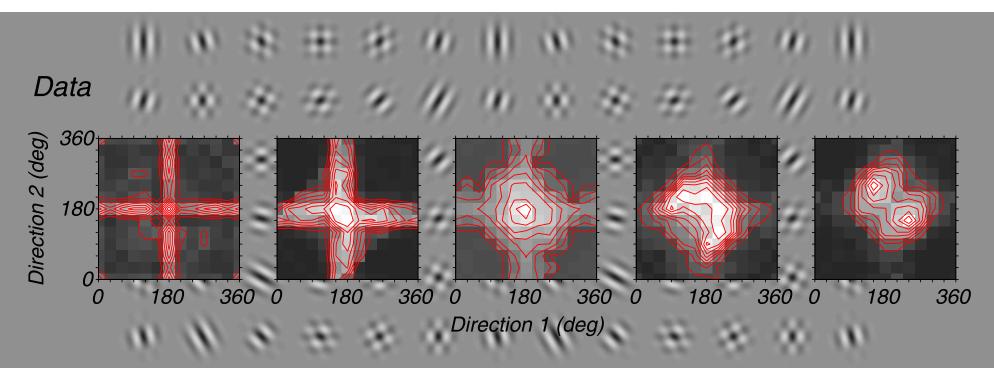


# Direction-interaction: Common axis

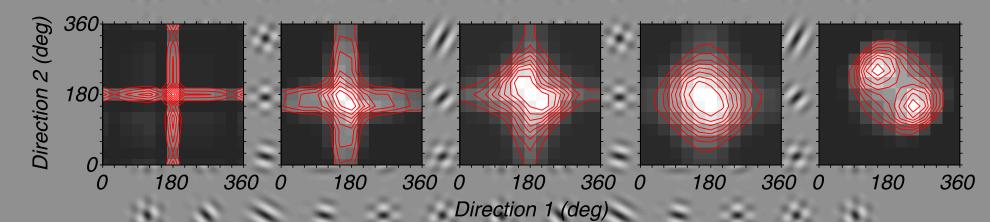


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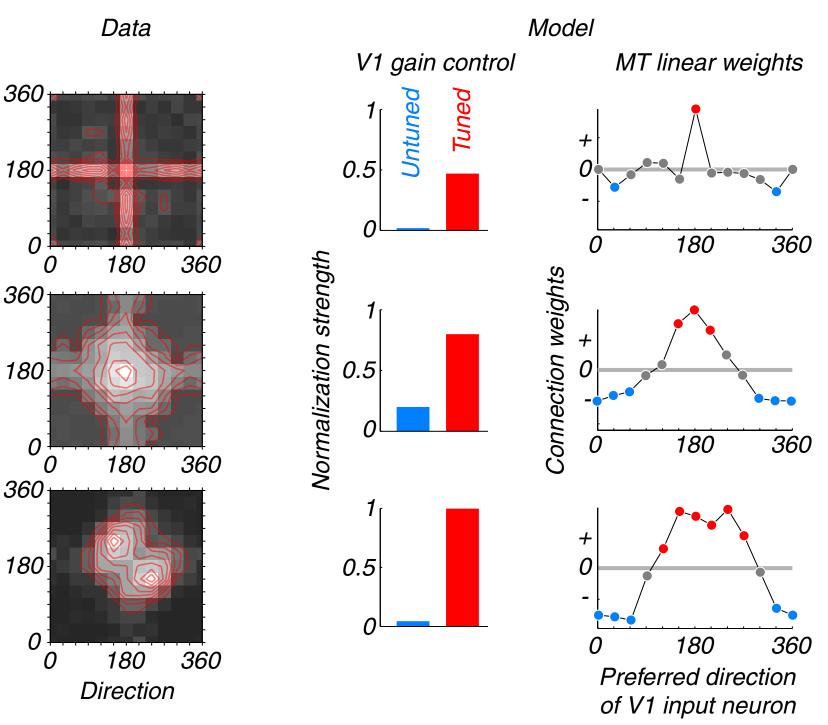


#### Predictions



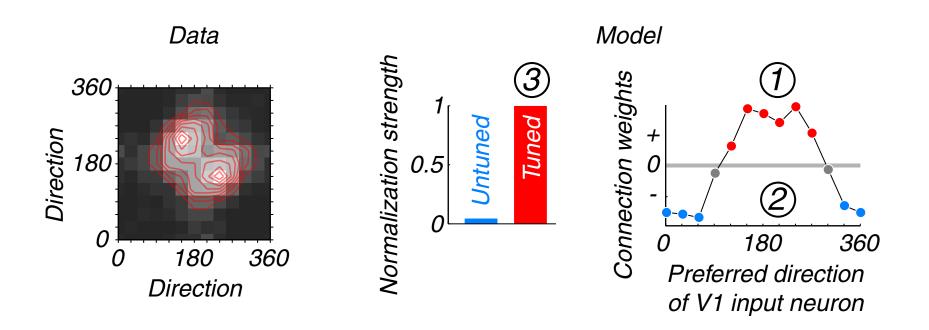
Rust, Mante, Simoncelli & Movshon, 2006

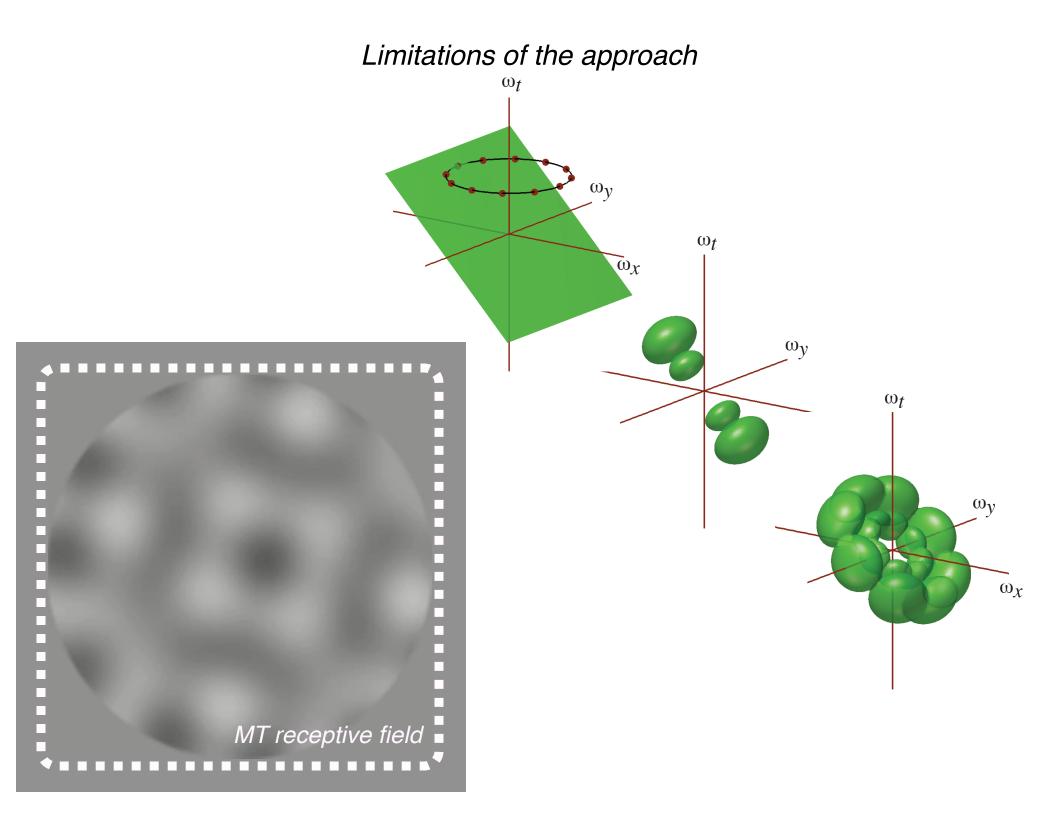
# Recovered model elements



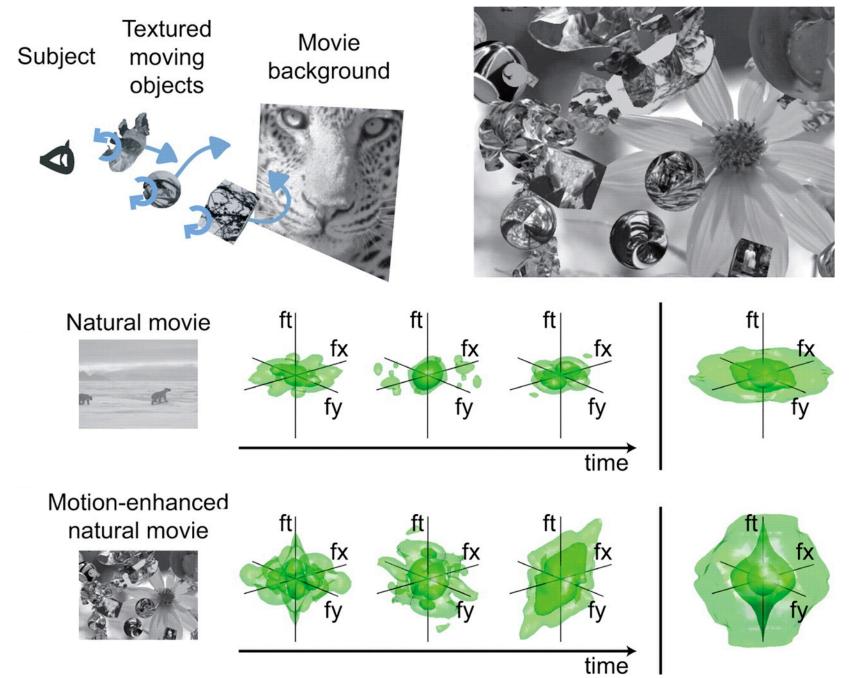
Direction

Pattern direction selectivity arises from:
1 Broad convergence of excitatory inputs
2 Strong motion opponent suppression
3 Strong tuned gain control





Spatial and spectral structure of motion-enhanced natural movies

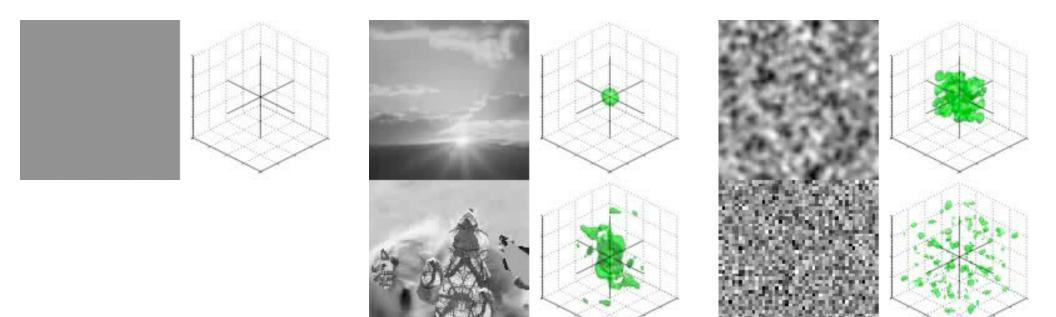


# "Motion-enhanced" natural movies

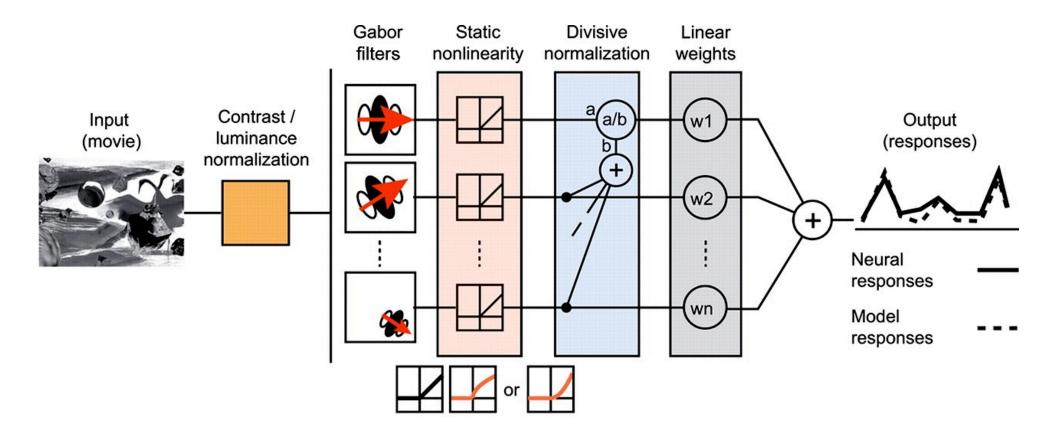


Nishimoto & Gallant, 2011

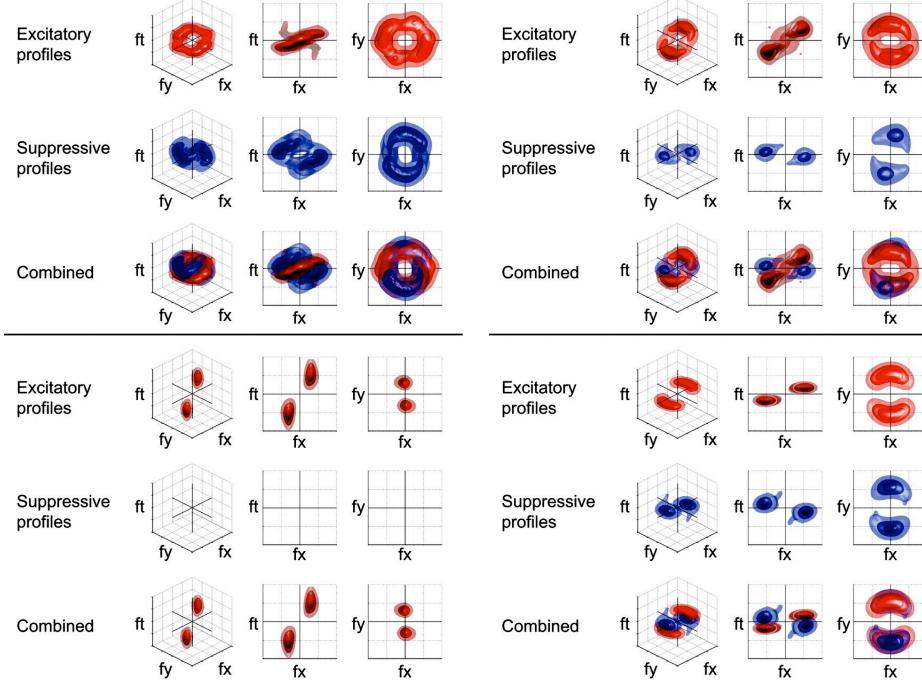
# "Motion-enhanced" natural movies, and friends



# Analysis of MT neurons using a "boosted" model

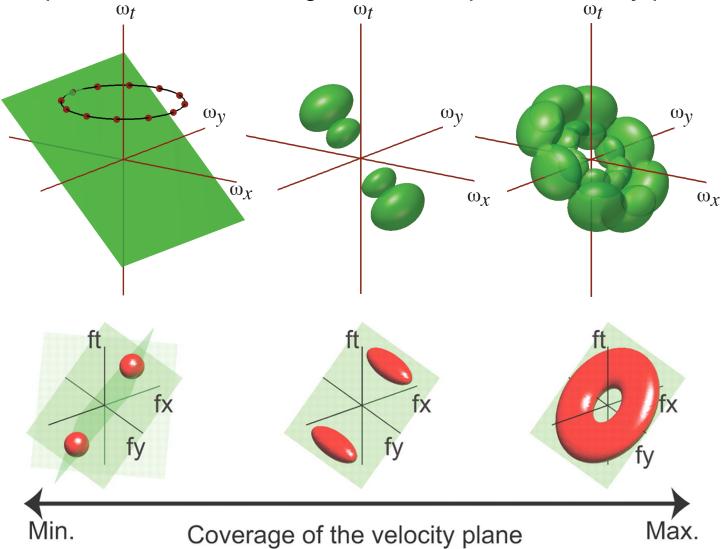


### Estimated spectral receptive fields of four MT neurons



Nishimoto & Gallant, 2011

MT neurons vary in the degree to which their excitatory spectral receptive fields form a ring within the optimal velocity plane.



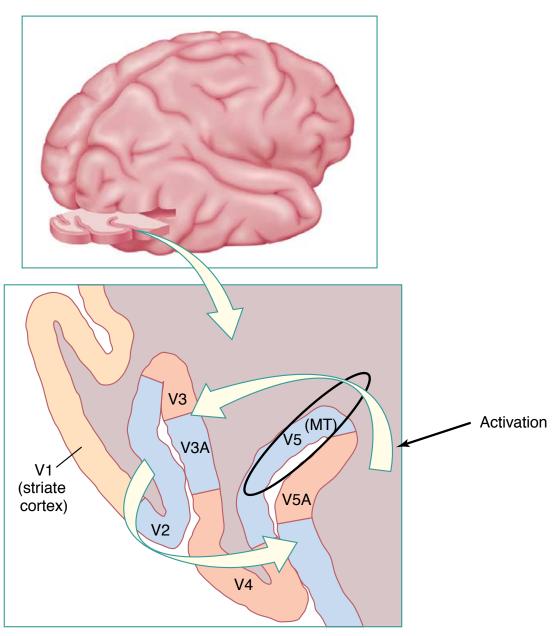
Nishimoto & Gallant, 2011

# **Two neural correlates of consciousness**

**Ned Block** 

# **Block's conjecture**

MT is "the core phenomenal neural correlate of consciousness for the visual experiential content as of motion"



Local and global motion signals

