

Visual confidence accurately tracks increased internal noise in peripheral vision

VSS 2025

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Over-/Under-/Accurate Confidence in the periphery

First-order task	Second-order task	Results
Signal detection (Performance matched)	N/A	A more liberal criterion in the periphery

*(Solovey, Graney, & Lau, 2014
For subjective inflation, see Rahnev et al. 2011;
Li, Lau, & Odegaard, 2018; Odegaard et al., 2018)*

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Orientation discrimination (Performance matched)	Confidence forced-choice	Less confidence in the periphery

(Toscani, Mamassian, & Valsecchi, 2021)

Over-/Under-/Accurate Confidence in the periphery

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Signal detection	1-4 rating	Constant M-ratio across eccentricity

Advantages of Bayesian models with incentivized confidence

- Well-established definitions of confidence:

- The subjective probability that the perceptual decision is correct

(Kepecs, et al., 2008; Pouget, Drugowitsch, & Kepecs, 2016)

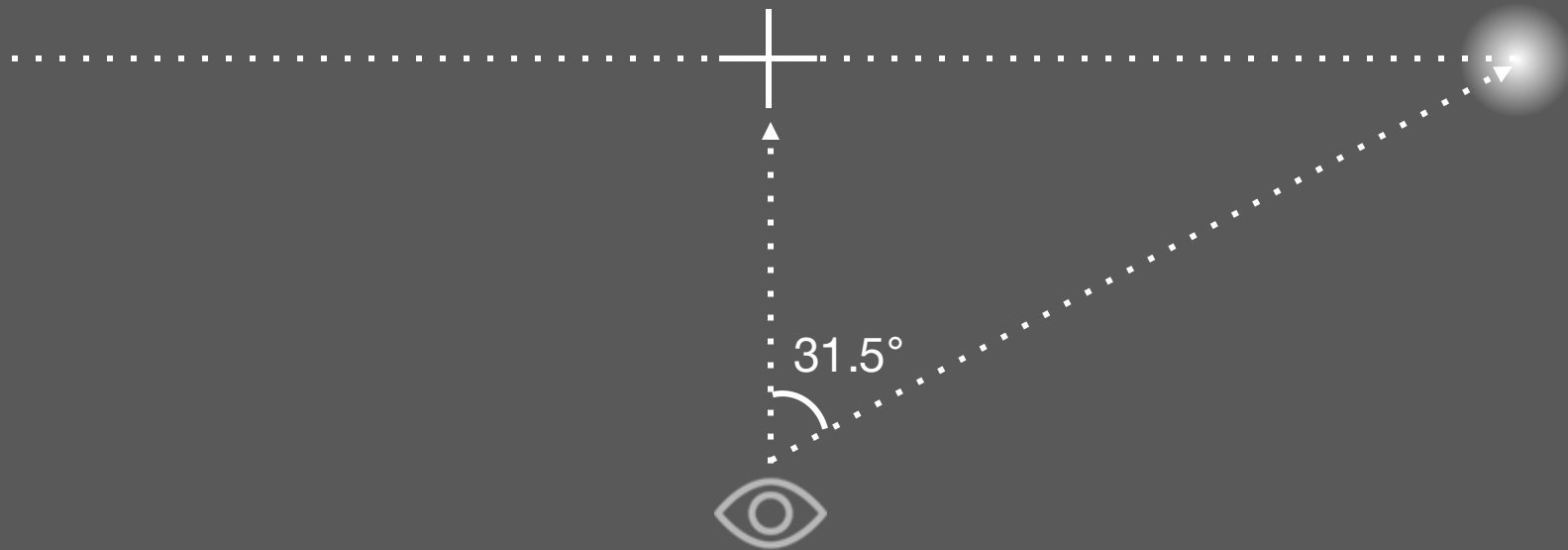
- The self-consistency of a perceptual decision

(Caziot & Mamassian, 2021)

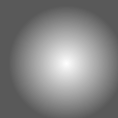
- Incentivized, continuous confidence response

(Fassold, Locke, & Landy, 2023; Li et al., 2021; Yoo, et al., 2018)

Methods



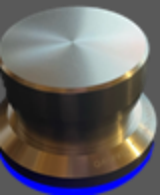




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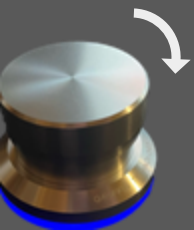
Potential reward: 1





Potential reward: 0.70

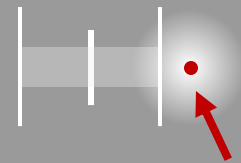




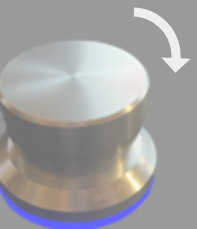
Potential reward: 0.59



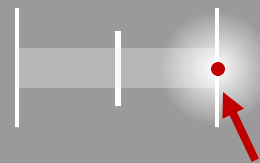
Potential reward: 0.59



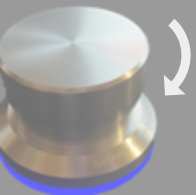
Target center
(Invisible to participants)

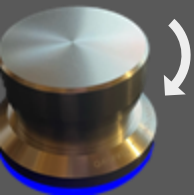


Potential reward: 0.33



Target center
(Invisible to participants)



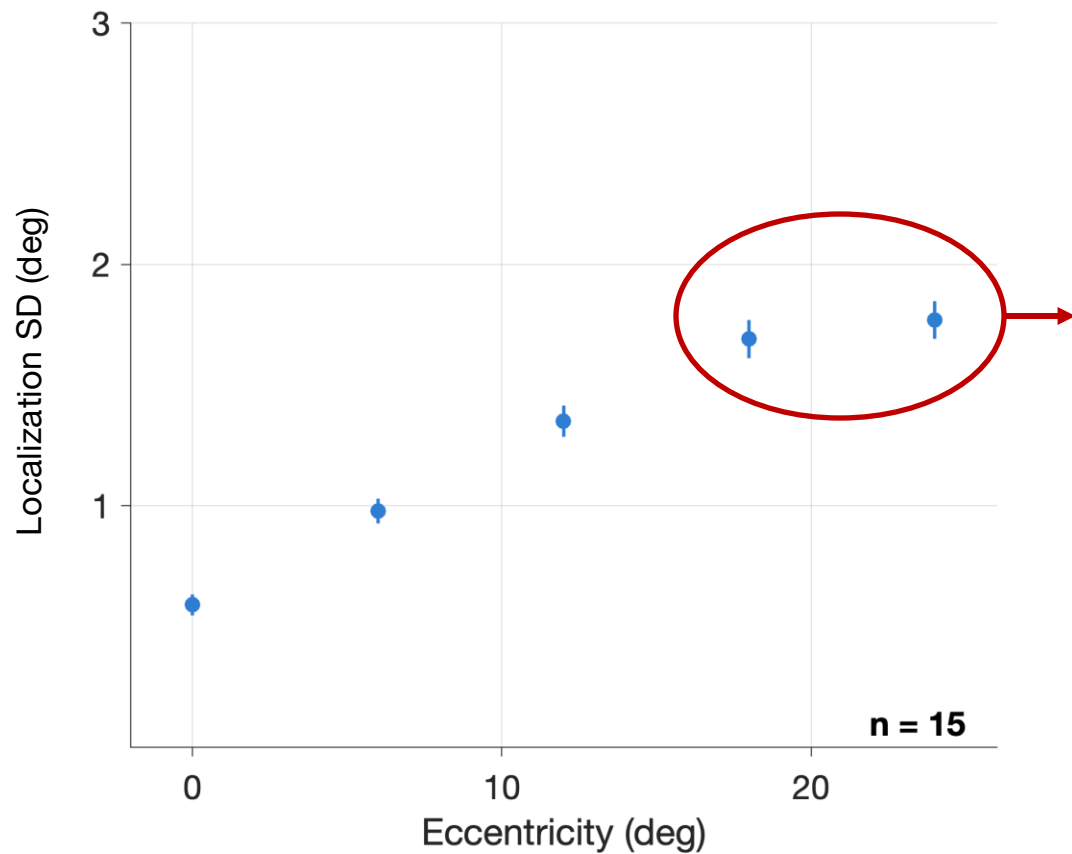


Potential reward: 0.33



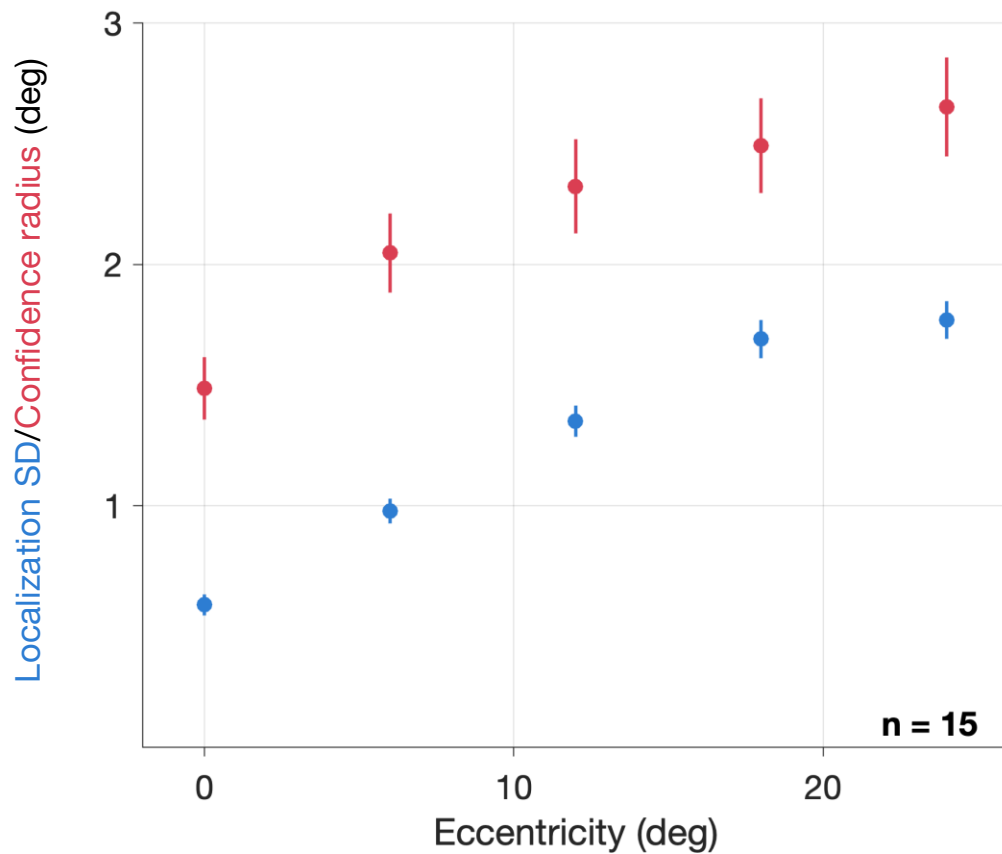
Behavioral results

Localization



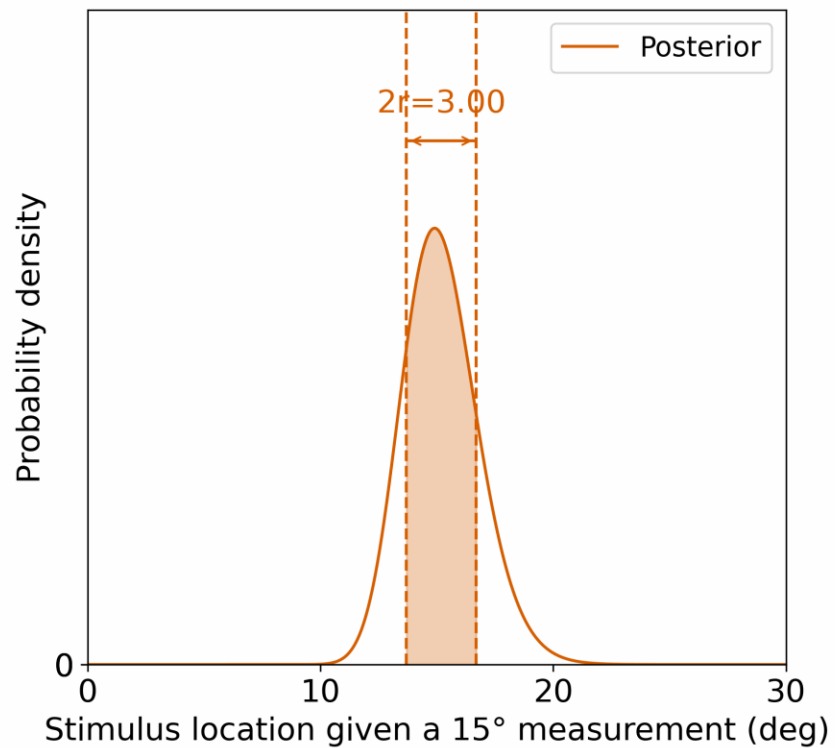
For the plateau of localization variability in far periphery, see *Fortenbaugh et al., 2012*; *Temme, Maino, & Noell, 1985*

Localization and confidence radius

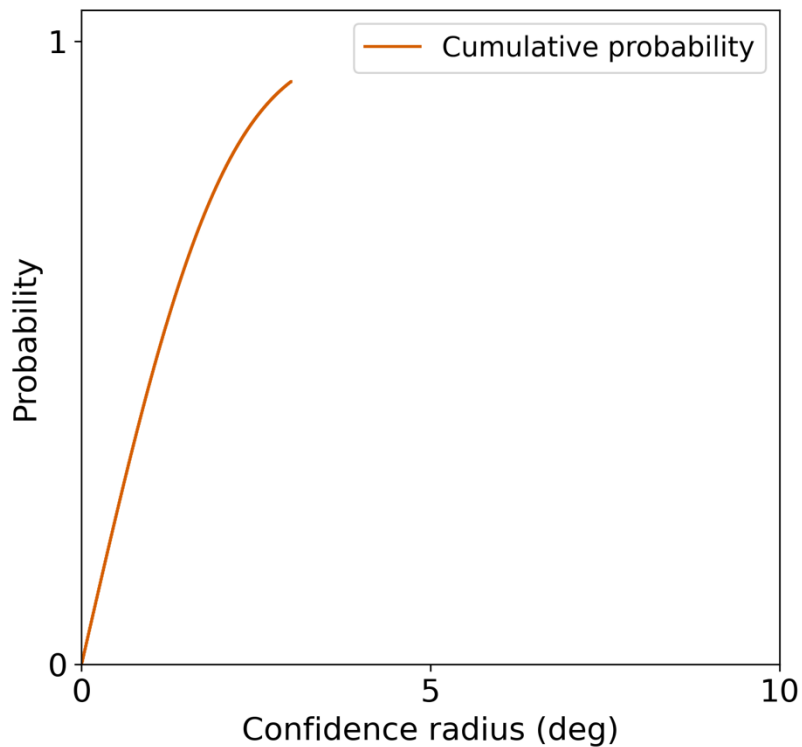
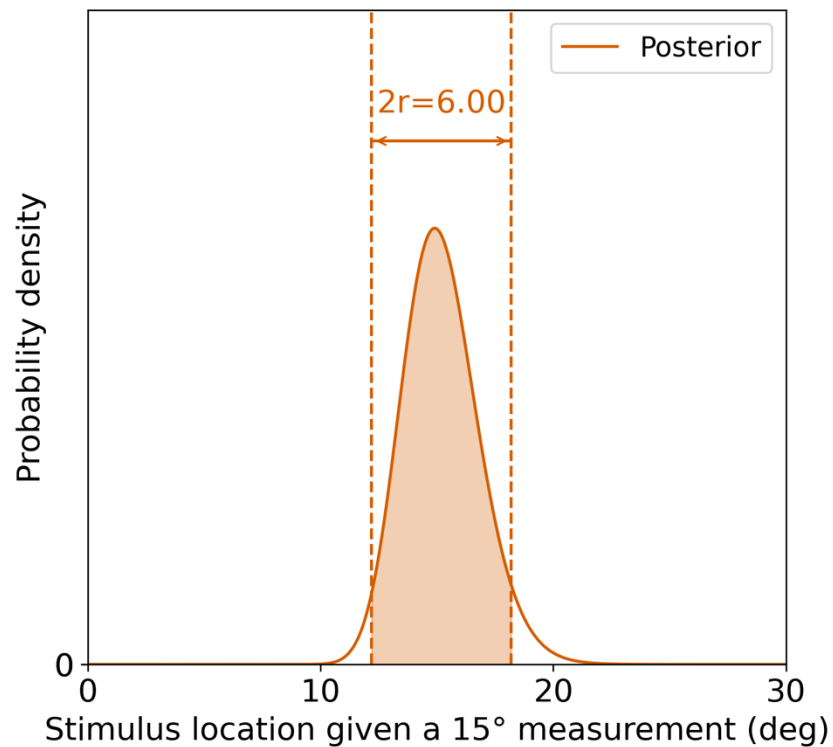


Confidence models

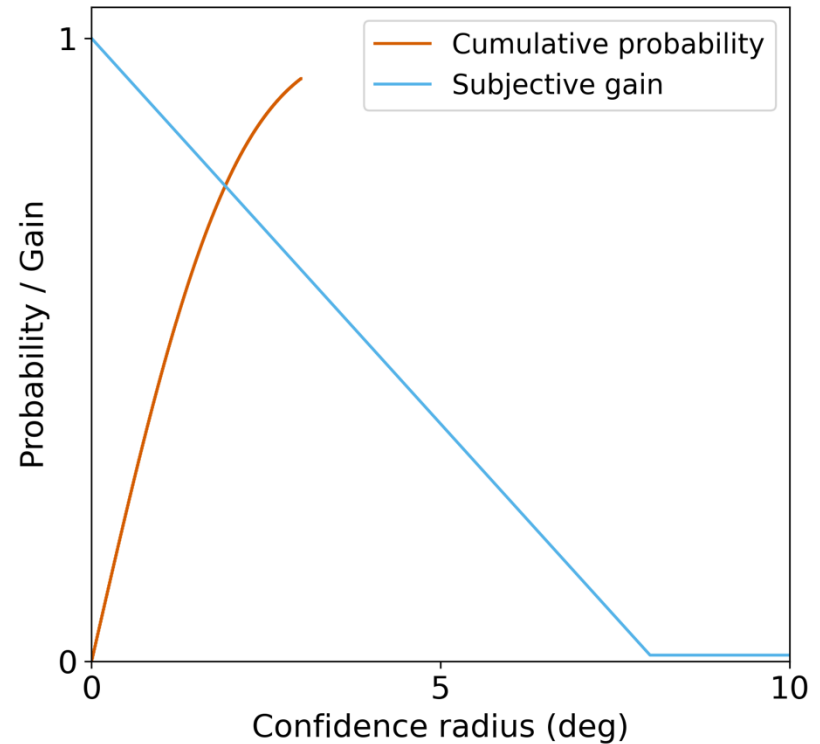
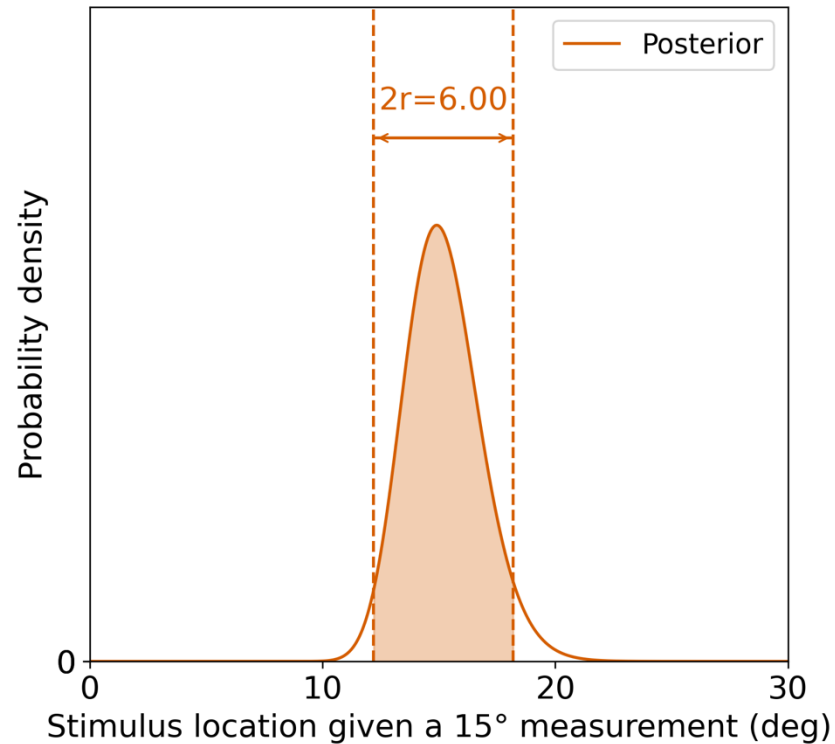
Optimal observer model



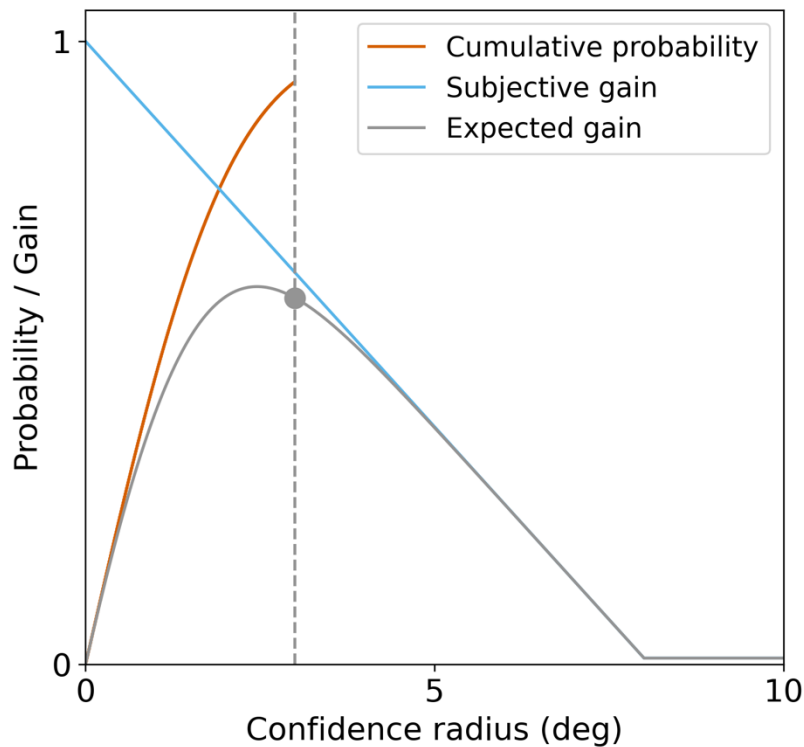
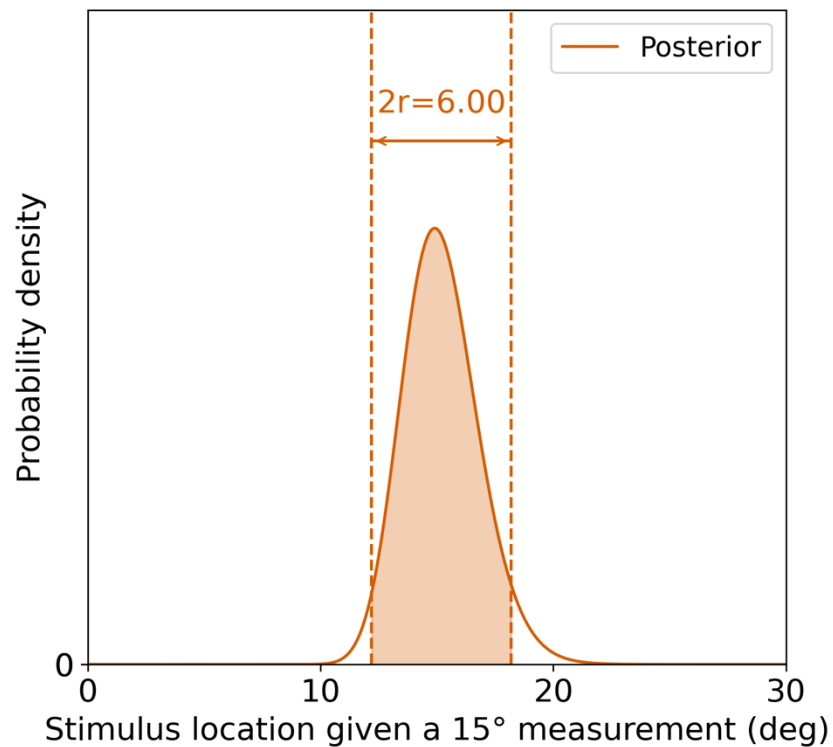
Optimal observer model



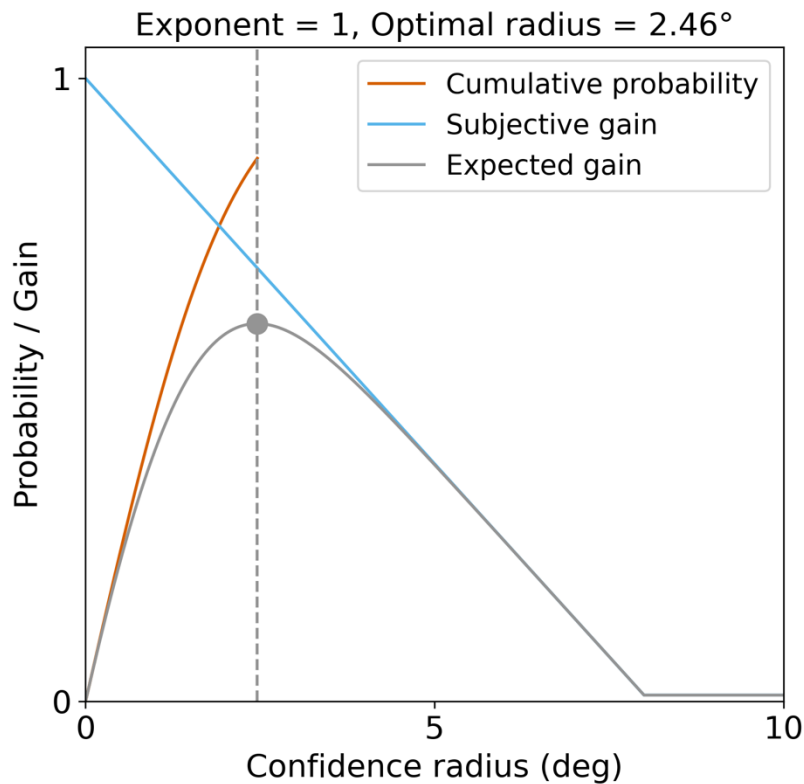
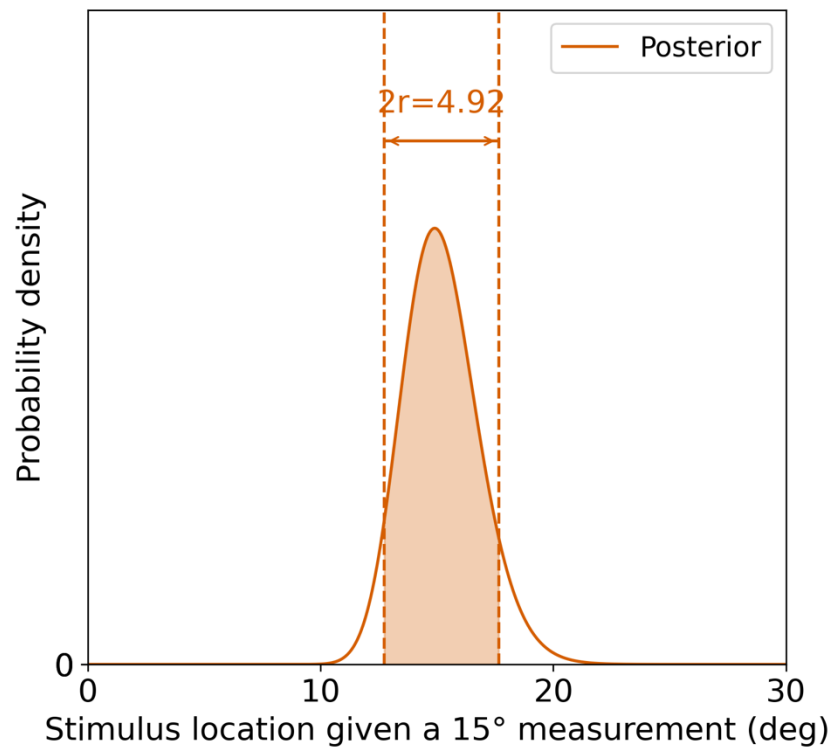
Optimal observer model



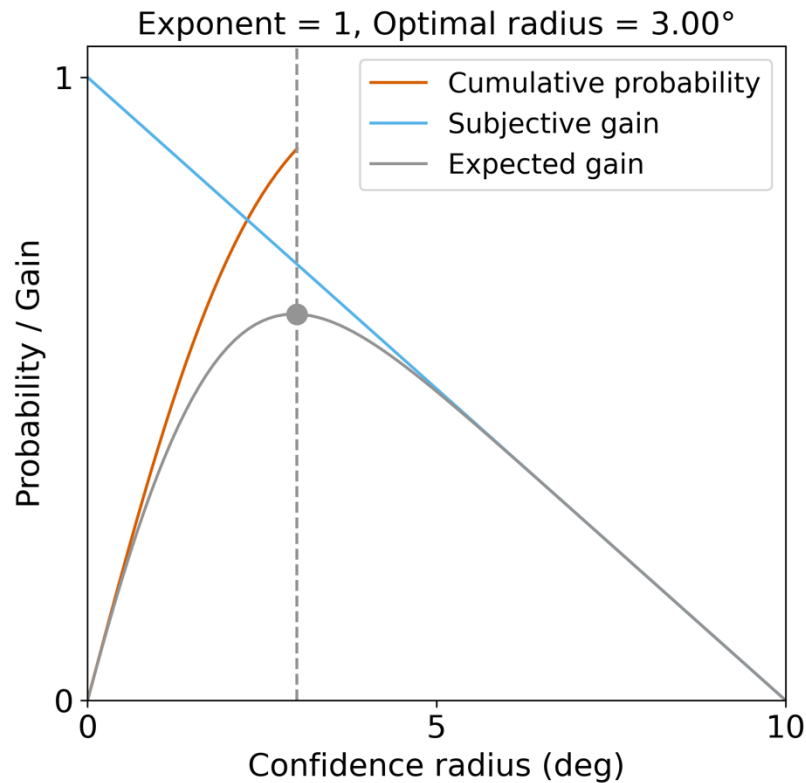
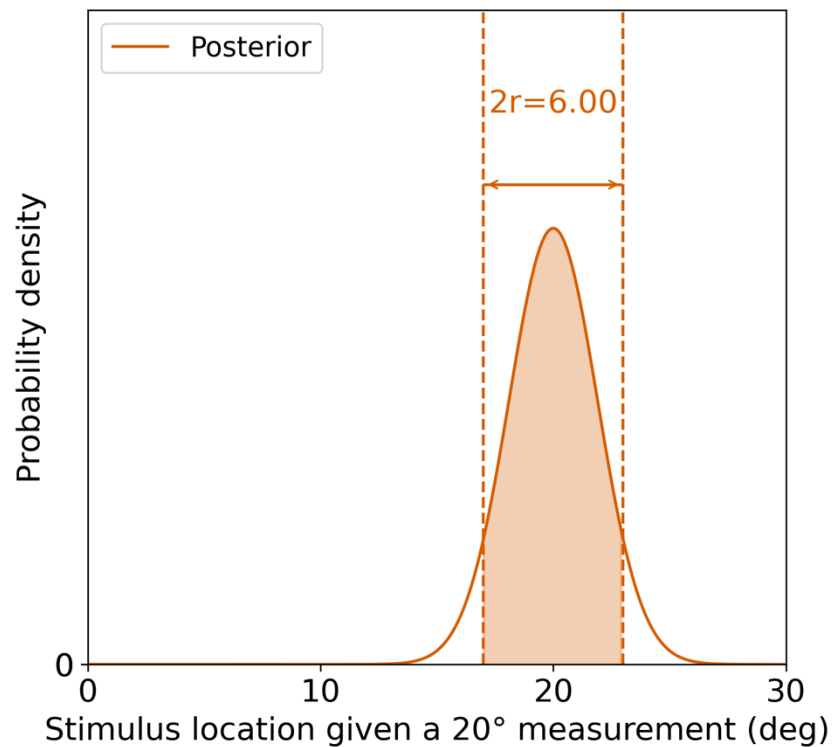
Optimal observer model



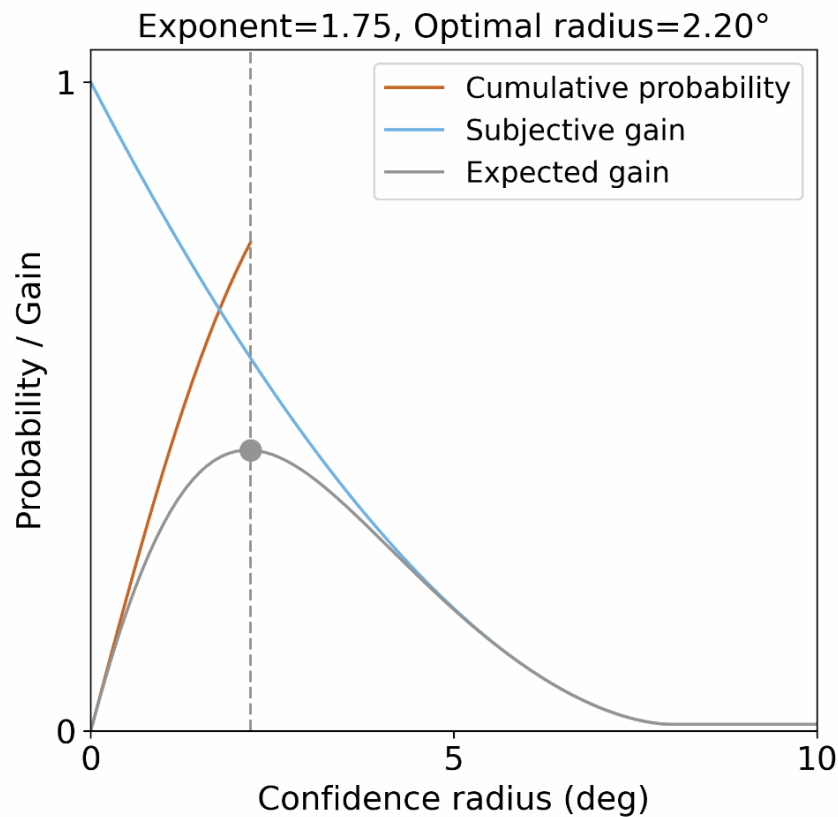
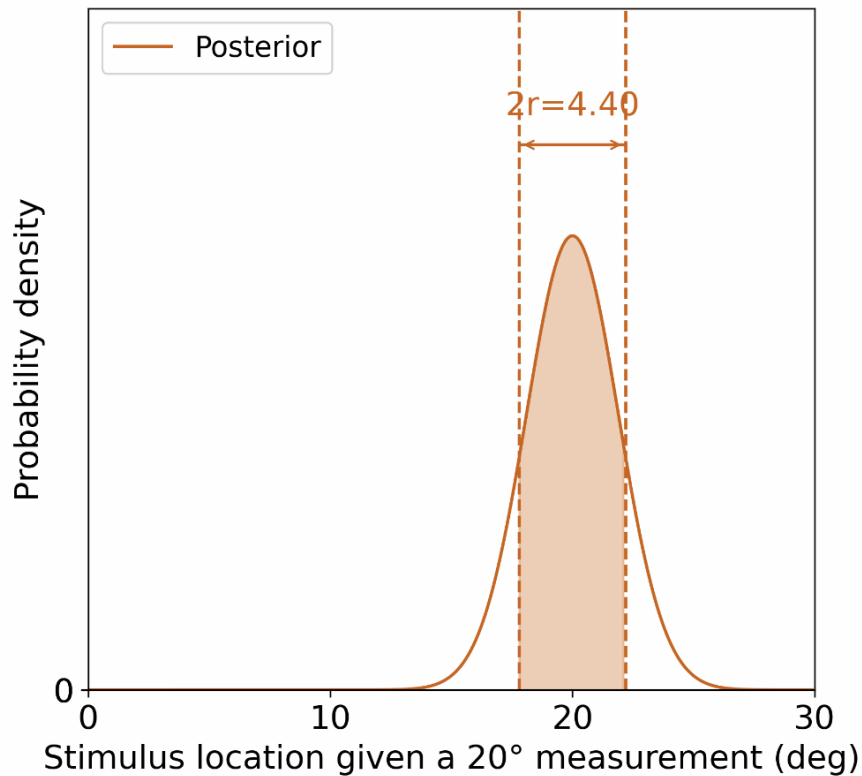
Optimal observer model



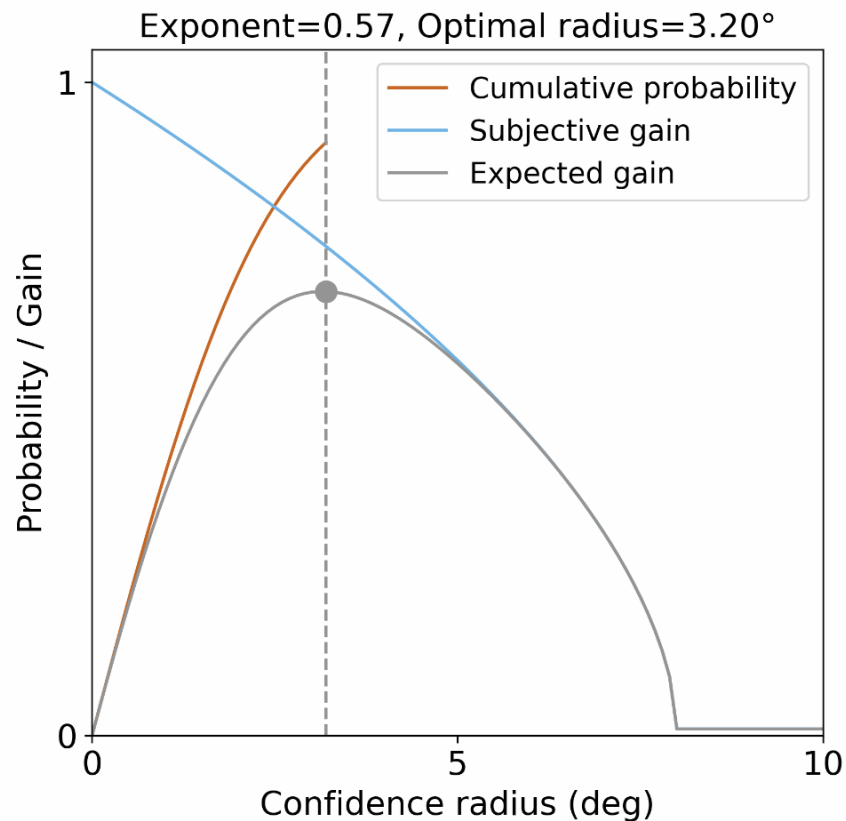
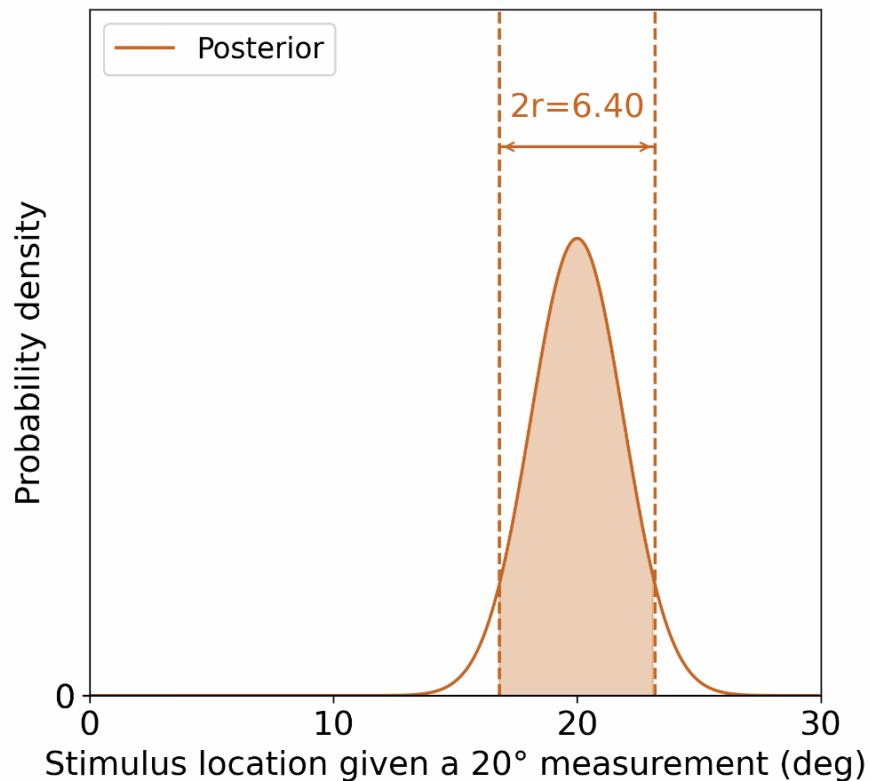
Optimal observer model





Optimal observer model



Optimal observer model



Confidence models

	Use posterior	Use gain function
Optimal		

Confidence models

	Use posterior	Use gain function
Optimal	✓	✓
Scaled posterior width	✓	✗
Scaled log posterior width	✓	✗

Confidence models

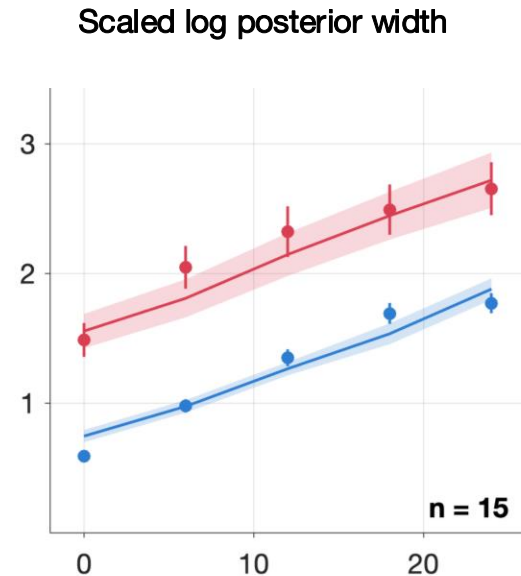
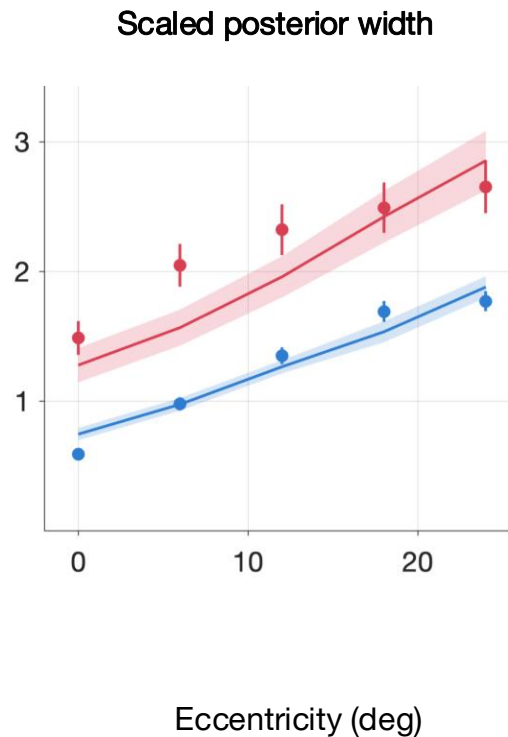
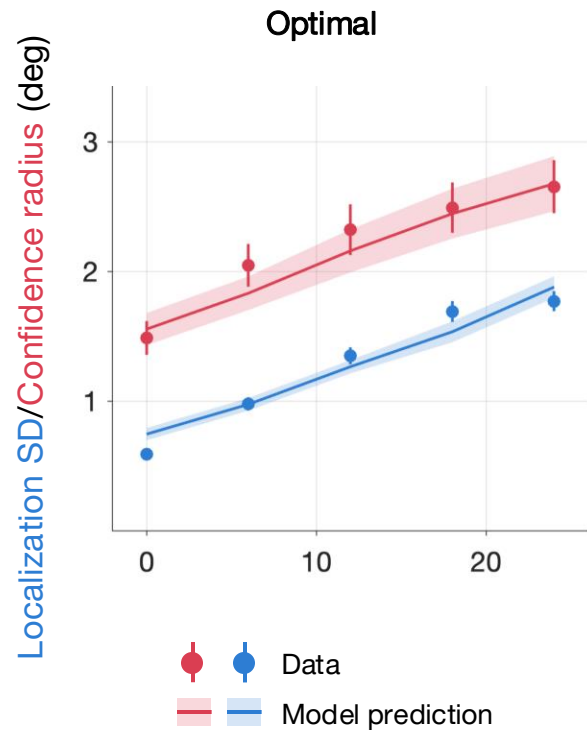


Confidence models

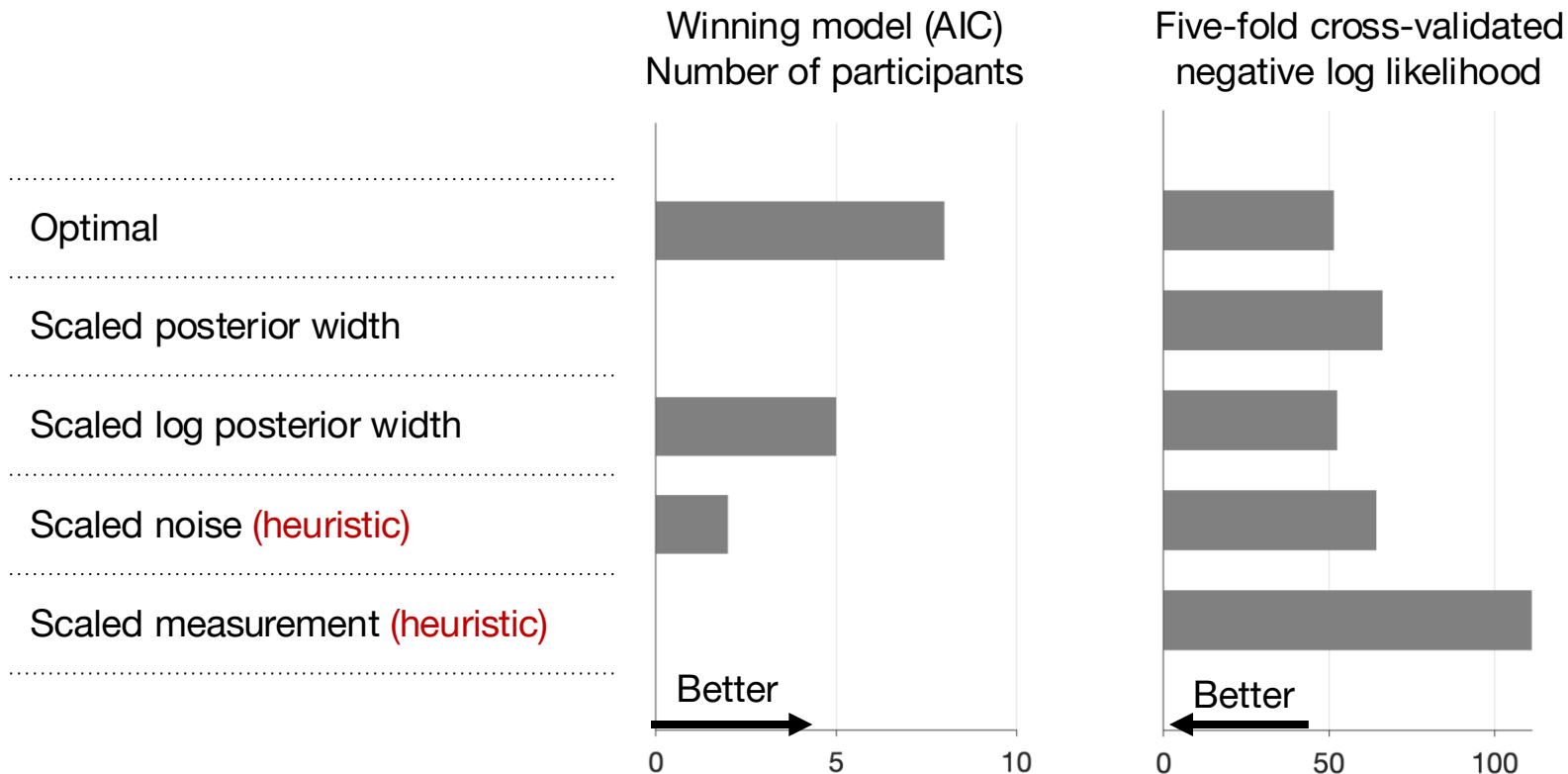


Modeling results

Model predictions



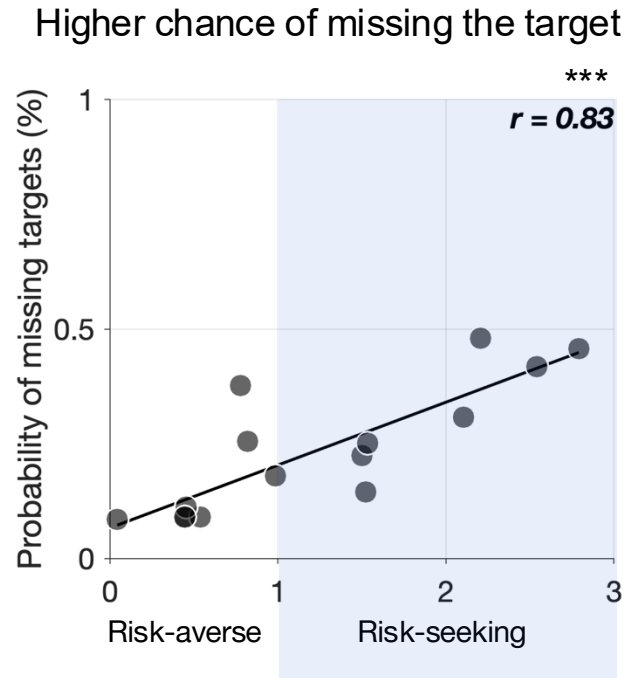
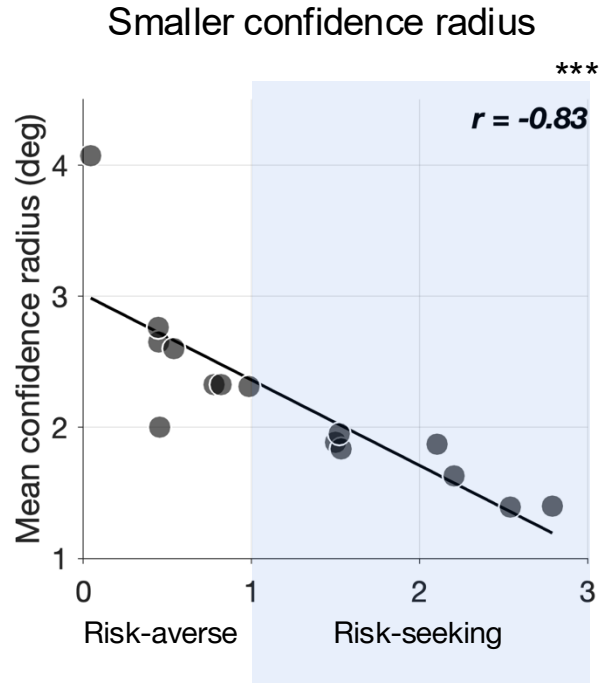
Model comparison



Winning confidence models

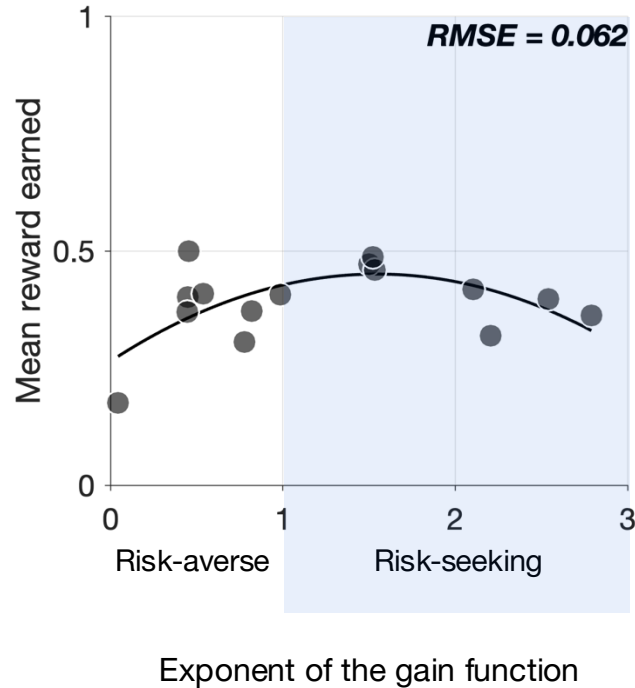
	Confidence radius	Free parameter
Optimal	$\text{argmax}(\text{Expected gain})$	Exponent of the gain function
Scaled log posterior width	$k \bullet \log(\text{Posterior width})$	Scaling factor k

A larger exponent (more risk-seeking) correlated with...



Exponent of the gain function

Extreme values of the exponent are associated with less reward



Conclusions

Conclusions

- The optimal-observer model predicts data as well as a descriptive logarithmic-mapping model, both of which outperform heuristic models.
- Visual confidence accurately tracks increased sensory noise in the periphery.
- Our findings add to the scant evidence supporting the Bayesian-confidence hypothesis, suggesting that people can approach optimal confidence judgments when sufficiently incentivized.

Interactive model demo available at osf.io/5cgbt/ OR



Thank you!

Landy lab

