A Model of Contingent Adaptation in Cortex

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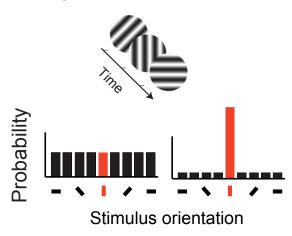
Outline

- Introduction: A variety of effects of pattern adaptation in cortex
- A model for contingent adaptation
- Simulation results
- · Implications for behavior

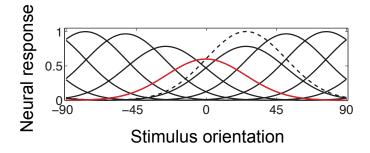
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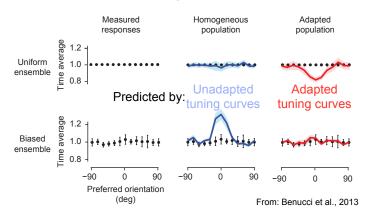
Adaptation to orientation



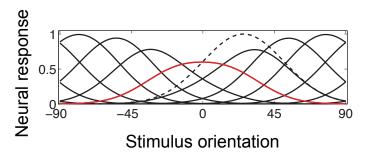
Standard model: Gain adaptation



The effect: Homeostasis of firing rate

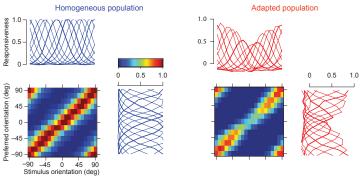


But: Tuning-curve repulsion is also evident



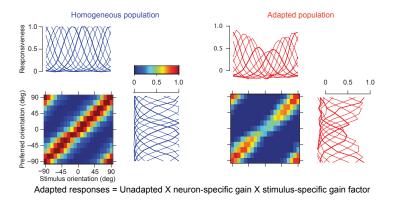
Cat: Benucci et al., 2013; Dragoi et al., 2000, 2001; Felsen et al., 2002 Macaque: Muller et al., 1999; Patterson et al., 2013; Wissig et al., 2013

The net effect: Both neuron- and stimulus-specific adaptation

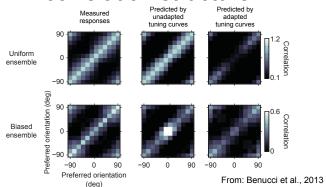


From: Benucci et al., 2013

The net effect: Both neuron- and stimulus-specific adaptation



Another interesting outcome: Approximate maintenance of correlation structure



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Can these effects be predicted by a single model?

- · Neuron-specific adaptation
- Stimulus-specific adaptation
- Approximate correlation homeostasis

We suggest that a simple learning rule paired with normalization can account for these results.

Normalization (Heeger, 1993)

$$R_{i}(\theta) = \frac{F_{i}(\theta)^{2}}{s + \sum_{j=1}^{N} F_{j}(\theta)^{2}}$$

where F_i is the feed-forward drive to neuron i and R_i is its response to a stimulus with orientation θ .

Normalization with weights

$$R_{i}(\theta) = \frac{F_{i}(\theta)^{2}}{s + \sum_{j=1}^{N} W_{j,i} F_{j}(\theta)^{2}}$$

where $W_{j,i}$ is the weight by which neuron j contributes to the inhibitory normalization pool for neuron i.

Our model: Contingent adaptation

$$R_{i}(\theta) = \frac{F_{i}(\theta)^{2}}{s + \sum_{j=1}^{N} W_{j,i} F_{j}(\theta)^{2}}$$
$$W_{j,i}^{t+1} = W_{j,i}^{t} + \alpha \times \left(R_{j}^{t} R_{i}^{t} - C_{j,i}\right)$$

Our model: Contingent adaptation

$$R_{i}(\theta) = \frac{F_{i}(\theta)^{2}}{s + \sum_{j=1}^{N} W_{j,i} F_{j}(\theta)^{2}}$$

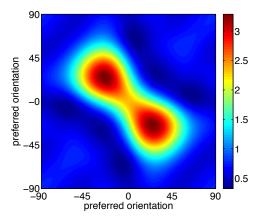
$$W_{j,i}^{t+1} = W_{j,i}^{t} + \alpha \times \left(R_{j}^{t} R_{i}^{t} - C_{j,i}\right)$$

$$C_{j,i} = E_{\text{unbiased}}(R_{j} R_{i})$$

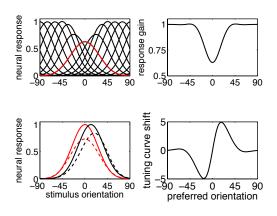
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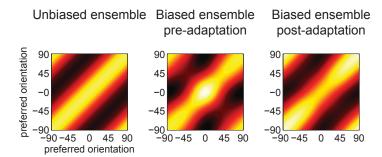
Normalization weights after adaptation to biased ensemble



Tuning curves after adaptation to biased ensemble



Approximate covariance homeostasis



Alternative models

That don't work:

- Maintenance of correlation rather than joint product
- Inherited adaptation and response gain control alone

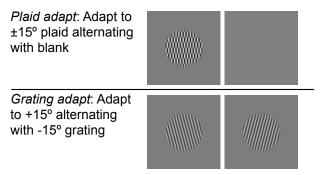
That do work:

Recurrent contingent adaptation

Outline

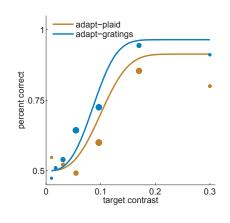
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Contingent adaptation: Overlap masking

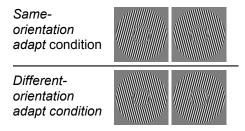


Task: Detect +15° grating masked by -15° grating

Contingent adaptation: Overlap masking



Contingent adaptation: Surround masking



Adaptation is same-orientation on one side and different-orientation on the other. Test is same condition on both sides. Task is contrast discrimination.

Conclusions

- Contingent-adaptation model accounts for several phenomena of cortical adaptation
- It has implications for psychophysical performance, and we have hints that its predictions will be borne out
- It bears resemblance to other forms of contingent adaptation (e.g., the McCollough effect), and may explain pattern-based effects (e.g., Nakashima & Sugita, JOV, 2014)

Contingent adaptation: Surround masking

