

# CONJOINT MEASUREMENT OF GLOSS AND SURFACE TEXTURE

**Yun-Xian Ho<sup>1</sup>      Michael S. Landy<sup>1,2</sup>      Laurence T. Maloney<sup>1,2</sup>**

<sup>1</sup>Department of Psychology   <sup>2</sup>Center for Neural Science  
New York University, New York, NY

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Corresponding Author:

Yun-Xian Ho  
New York University  
Dept. of Psychology  
6 Washington Place, 8th Floor  
New York, NY 10003

Tel: 1-212-998-7848  
Email: [yunxian.ho@nyu.edu](mailto:yunxian.ho@nyu.edu)

## **Abstract**

Previous research on visual perception of surface material has focused primarily on smooth, matte surfaces, neglecting surfaces with pronounced three-dimensional (3D) texture or specularly. Furthermore, studies have typically focused on single material properties, with no consideration of possible interactions. In this study, we used a conjoint measurement design to determine how observers represent perceived 3D texture (“bumpiness”) and specularly (“glossiness”) and modeled how each of these two surface material properties affects perception of the other. Observers made judgments of “bumpiness” and “glossiness” of surfaces that varied in both surface texture and specularly. We found that a simple additive model captures visual perception of texture and specularly and their interactions. We quantify how changes in each surface material property affect judgments of the other. Conjoint measurement is potentially a powerful tool for analyzing surface material perception in realistic environments.

Surfaces can be analyzed at many spatial scales. Koenderink & Van Doorn (1996) delineate three distinct scale ranges in the perception of surface properties: *megascale*, *mesoscale*, and *microscale*. Megascale variations are defined by differences in global shape, e.g., the spherical shape of the orange in Figure 1. Mesoscale refers to the properties of the orange skin, i.e., the irregular and bumpy surface (mesotexture) of the orange which is similar to a lemon, but dramatically different from a smooth rubber ball. Variations at the microscale level include changes in the otherwise invisible surface structure of the orange skin that result in its glossy appearance. To visually identify an orange, we take into account the geometry at all three scales. Certain perceptual tasks such as discriminating an orange from an orange-colored rubber ball require an ability to detect differences in structural geometry at the meso- and microscales, i.e. material properties. Judgments of surface material are made frequently and effortlessly, yet surprisingly little is understood about how the visual system represents materials.

-- INSERT FIGURE 1 --

One difficulty in studying material perception is that light interacts with surfaces in a complex way. As a consequence, it may be difficult for the visual system to estimate surface material properties independently of one another and of illumination and viewing geometry. Failures of “material constancy” have been demonstrated for a variety of surfaces viewed under different illumination conditions (Pont & te Pas, 2006). Visual judgments of roughness, glossiness, and color are not independent of viewing conditions or other surface properties (e.g., Billmeyer & O'Donnell, 1987; Ferwerda, Pellacini, & Greenberg, 2001; Fleming, Dror, & Adelson, 2003; Ho, Landy, & Maloney, 2006; Ho, Maloney, & Landy, 2007; Hunter & Harold, 1987; Pfund, 1930; Sève, 1993; Zaidi, 2001; although see Obein, Knoblauch, & Viénot, 2004).

Previous work in material perception has considered one perceived surface property at a time; however, most surfaces display several properties (e.g., the gloss and mesotexture of an orange, Figure 1). It would be useful if estimates of gloss were unaffected by surface mesostructure and vice versa. But, cues to one surface property (e.g., size and position of specular highlights) can affect visual judgments of another

property (e.g., shape). For example, gloss can affect the perception of global shape by making surfaces appear more curved (Braje & Knill, 1994; Mingolla & Todd, 1986; Todd & Mingolla, 1983; Todd, Norman, Koenderink, & Kappers, 1997) and making convex surfaces appear concave (Blake & Bülthoff, 1990, 1991; but also see Nefs, Koenderink, & Kappers, 2006). Systematic patterns of distortions created by specular highlights on a surface provide a substantial amount of information about 3D surface curvature, and human observers use this information to derive 3D shape (Fleming, Torralba, & Adelson, 2004; Norman, Todd, & Orban, 2004). Similarly, it has been shown that shape can affect judgments of surface reflectance (Nishida & Shinya, 1998). Changes in surface curvature produce changes in shape, size, and distribution of specular highlights; this in turn can affect judgments of glossiness (e.g., Beck & Prazdny, 1981; Berzhanskaya, Swaminathan, Beck, & Mingolla, 2005).

Figure 2 illustrates how perceived gloss and mesotexture interact. Figure 2b has the same surfaces as Figure 2a with specular highlights greatly reduced. The surfaces look less glossy, as one might expect, but also less bumpy. This interaction is not unexpected given recent research. Techniques have been developed to successfully recover mesotexture from specularities (Chen, Goesele, & Seidel, 2006; Wang & Dana, 2006). This suggests that a surface's specular content can provide strong cues to local shape geometry, i.e., mesotexture. The effect of reducing specularities in Figure 2 suggests that two properties—gloss and mesotexture—interact in judgments of glossiness and bumpiness.

-- INSERT FIGURE 2 --

We have two goals in this study. First, we wish to estimate perceptual scales for two material properties, gloss and mesotexture. Second, we wish to model and understand their evident interaction. We employ a particular method, conjoint measurement, that allows us to achieve both goals with one experimental design (Krantz, Luce, Suppes, & Tversky, 1971, Chaps. 6,7; Luce & Tukey, 1964; Roberts, 1979, Chap. 5). We will demonstrate that an additive conjoint measurement model sufficiently describes the psychophysical mapping of each property to an internal scale of gloss and bumpiness. Although this is not the first study to examine the perceptual scaling of a material property (i.e., gloss, Ferwerda et al., 2001), this is the first study to

simultaneously estimate the perceptual scaling for each of two material properties of a given surface and provide a simple model of their interaction.

## Methods

### *Stimuli*

Stimuli were 3D mesotextured surfaces positioned in a frontoparallel plane 70 cm in front of the observer. For convenience we will refer to the mesotexture in the surfaces we employ as “bumpiness.” Each stimulus was assigned one of five possible bumpiness levels (mesotexture) and one of five gloss levels (specular reflectance) for a total of 25 possible surfaces. We denote the physical value of glossiness as  $g_i$  and bumpiness as  $b_j$  ( $i, j = 1, 2, \dots, 5$ ).

We defined the stimuli using a Cartesian coordinate system whose x- and y-axes lay within the fronto-parallel plane of the stimulus. The z-axis was parallel to the observer’s line of sight. Four hundred points in the stimulus plane forming a  $20 \times 20$  cm square grid were jittered in the x- and y-directions by random values ranging over  $\pm 0.2$  cm. Ellipsoids (possibly intersecting) were centered on each of these 400 points with principal axes parallel to the x-, y-, and z-axes. The radii in the x- and y-directions were 1 cm. For a surface texture with bumpiness level  $b_j$ , the z-radii of the ellipsoids were chosen randomly from the range  $[0, b_j]$ , where  $b_j = (j+1)^2 / 10$  cm.

The gloss value  $g_i$  was used to set two parameters associated with specular reflectance in the Ward reflectance model as implemented by the Radiance rendering software (Ward, 1994): the specular reflectance parameter  $\rho_s$ , which controls the proportion of incoming light reflected off of the surface at an angle close to the angle of incidence, and the microroughness parameter  $\alpha$ , which controls the amount of blurring of the specular lobe. Gloss level  $g_1$  corresponded to a matte (Lambertian) surface reflectance (i.e.,  $\rho_s = 0$ , making  $\alpha$  irrelevant). Gloss levels  $g_2$  through  $g_5$  corresponded to four logarithmically spaced levels  $\rho_s$  ranging from 0.007 to 0.053 and  $\alpha$  ranging from 0.178 to 0.032. A combination of a high value of  $\rho_s$  and low value of  $\alpha$

yielded a surface of high gloss and sharp highlights, while a low value of  $\rho_s$  and high value of  $\alpha$  yielded a surface of low gloss with blurred highlights. These gloss levels were chosen such that each level of gloss was approximately equally discriminable from the next (see Fleming et al., 2003; Pellacini, Ferwerda, & Greenberg, 2000). The diffuse component ( $\rho_d$ ) or surface albedo was fixed at red = 0.1, green = 0.2, and blue = 0.1, yielding a dark green surface color. All surfaces were rendered with interreflections (up to two ambient bounces) as well as occlusions and vignetting.

Each surface was rendered under a rectangular light source with dimensions  $92 \times 52$  cm positioned above and to the left of the observer. These scene and object parameters provided the observer with several cues to gloss including the color and shape of the specular highlights. Each stimulus was rendered from the right and left eye's viewpoints, and viewed binocularly, providing a binocular disparity cue to depth. Four random surfaces were generated for each combination of gloss and bumpiness levels to minimize the chance of observers using idiosyncratic patterns in the distribution of ellipsoids to aid their judgments. Figure 3 shows a single stimulus stereo pair and the entire set of stimuli varying in physical gloss and bumpiness.

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### *Apparatus*

We presented the left and right images to the corresponding eyes of the observer on two 21-in. Dell LCD monitors placed to the observer's left and right and viewed through a mirror stereoscope. Lookup tables were used to correct the nonlinearities in the gun responses and to equalize the display values on the two monitors based on luminance measurements made with a Photo Research PR-650 spectrometer. The maximum luminance achievable on either screen was  $114 \text{ cd/m}^2$ . The stereoscope was contained in a box whose side measured 124 cm. The front face of the box was missing and that is where the observer sat in a chin/head rest. The interior of the box was coated with black flocked paper (Edmund Scientific, Tonawanda, NY) to absorb stray light. Only the stimuli on the screens of the monitors were visible to the observer. The casings of the monitors and any other features of the room were hidden behind the non-reflective walls of the enclosing box. Additional light baffles were placed near the observer's face to prevent

light from the screens reaching the observer's eyes directly. The optical distance from each of the observer's eyes to the corresponding computer screen was 70 cm. The stimuli were rendered to be 70 cm in front of the observer to minimize any conflict between binocular disparity and accommodation. The observer's eyes were approximately in line with the center of the scene being viewed.

### *Software*

The experimental software was written in the C programming language. We used the X Window System, Version 11R6 (Scheifler & Gettys, 1996), running under Red Hat Fedora Core 2 for graphical display. The computer was a Dell Optiplex GX 270 Workstation with a Matrox G450 graphics card. The rendered stereo image pair was represented by floating point RGB triplets for each pixel of the image. These triplets were the relative luminance values of each pixel. We translated the output relative luminance values to 24-bit graphics codes, correcting for nonlinearities in the monitors' responses by means of measured lookup tables for each monitor.

### *Procedure*

Two sets of observers participated, the first judging bumpiness (Experiment 1) and the second judging glossiness (Experiment 2). All observers first participated in a screening test that consisted of two blocked conditions in which they were required to make judgments of bumpiness or glossiness within each given gloss or bumpiness level, respectively. We performed the screening test to ensure that observers could order the stimuli in bumpiness for fixed gloss and vice versa. In doing so, we tested one of the necessary conditions for an additive conjoint representation, monotonicity (Krantz et al., 1971, p. 249).

On each screening trial, observers viewed two surfaces in succession and judged which appeared bumpier or glossier, depending on the condition. In the condition in which observers judged bumpiness, only the comparisons between stimuli with the same gloss level were tested, resulting in a total of 50 trials (one trial per comparison). Likewise, glossiness judgments were only made for pairs of stimuli having the same level of bumpiness.

On each trial of the main experiment, observers viewed one of the 325 possible pairs (including self-comparisons) of the 25 surfaces in Figure 1. Like the screening test,

the observer's task was to judge which of the two surfaces on each trial appeared bumpier (Experiment 1) or glossier (Experiment 2). Each pair was presented three<sup>1</sup> times.

The trial sequence proceeded as follows: first, a central fixation point was presented for 200 ms. Next, the first surface was presented for 400 ms followed by a 200 ms interstimulus interval (blank frame). Then, the second surface was presented for 400 ms. The observer indicated by key press whether the first or second surface appeared to be bumpier (or glossier). The next trial was initiated immediately after the response.

### Observers

A total of 12 observers participated in this study (six each in Experiments 1 and 2). One additional observer failed to pass the screening test (i.e., obtained less than 90% correct responses) and was excluded from the main study. All observers were unaware of the purpose of the study and had normal or corrected-to-normal vision.

## An additive conjoint measurement model of material perception

To determine whether observers could ignore cues to gloss when making judgments of bumpiness and vice versa, we fit an additive conjoint model to our data. For the model, it was assumed that the physical gloss level  $g_i$  and bumpiness level  $b_j$  of surface  $S_{ij}$  separately and additively contribute to perceived bumpiness and gloss. We modeled perceived bumpiness<sup>2</sup>  $B_{ij}^A$  for the *Additive Model* as the sum of contributions ("cues") to bumpiness from physical bumpiness  $B^b(b_j)$  and physical gloss  $B^g(g_i)$ ,

$$B_{ij}^A = B^g(g_i) + B^b(b_j) = B_i^g + B_j^b. \quad (1)$$

Perceived gloss was modeled similarly,

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<sup>1</sup> This value was calculated to be the smallest number of repetitions needed to produce reliable parameter estimates for gloss and bumpiness based on simulations of the additive conjoint model.

<sup>2</sup> The superscript A in  $B_{ij}^A$  and  $G_{ij}^A$  refers to the *Additive Model*. We introduce analogous notation for a second model, the *Full Model*, below with superscript F.

$$G_{ij}^A = G^g(g_i) + G^b(b_j) = G_i^g + G_j^b. \quad (2)$$

Note that this is not the typical weighted linear cue combination model commonly discussed in the literature (e.g., Landy, Maloney, Johnston, & Young, 1995). We assume only that cues combine additively after we scale them by functions  $B^g(\cdot)$ ,  $B^b(\cdot)$  and  $G^g(\cdot)$ ,  $G^b(\cdot)$ .

As written, the two equations model interactions by additive “contamination” of the estimate of one property by cues to the other. If the two surface properties do not interact, then  $B_i^g$  and  $G_j^b$  should equal zero for all  $i$  and  $j$ . When analyzing the data, we also test this simple additive model against a model that allows more complex, non-additive interactions between the surface properties.

In comparing the bumpiness of surfaces  $S_{ij}$  and  $S_{kl}$ , we assume that the observer forms the noise-contaminated decision variable,

$$\Delta = B_{ij}^A - B_{kl}^A + \varepsilon, \quad \varepsilon \sim \text{Gaussian}(0, \sigma^2) \quad (3)$$

and judges surface  $S_{ij}$  as bumpier precisely when  $\Delta > 0$ . The parameter  $\sigma$  represents the observer’s precision in judgment.

If we simultaneously scaled all of the values of  $B_{ij}^A$  and  $\sigma$  by a positive constant, or added a constant to all of the values of  $B_{ij}^A$ , the predictions of the model would not be affected. For convenience, we anchor the scales by setting  $B_1^b = B_1^g = 0$  and scale them so that  $\sigma = 1$ . We then estimate the remaining 8 free parameters  $B_2^g, \dots, B_5^g$  and  $B_2^b, \dots, B_5^b$  using maximum likelihood estimation (Mood, Graybill, & Boes, 1974). We fit a similar model of comparisons of gloss.

Our model makes no assumption about the direction of the cue effect, i.e., whether gloss increases or decreases bumpiness; estimated parameters can be positive or negative. Indeed, in a departure from the ordinary additive conjoint model (Krantz et al., 1971, Chap. 6) we do not force  $B^g(\cdot)$ ,  $B^b(\cdot)$  and  $G^g(\cdot)$ ,  $G^b(\cdot)$  to be monotonic functions.

## Results

Judgments of bumpiness and gloss from two typical observers for the 25 stimuli used in Experiments 1 and 2, respectively, are shown in the left panels of Figures 4a and 4b. The right panels show predicted results of an ideal observer with judgments of bumpiness and gloss uncontaminated by cues from the task-irrelevant property. Notice that although observers' performance is fairly close to ideal, there are obvious deviations. We estimated the perceived bumpiness  $B_{ij}^A$  and gloss  $G_{ij}^A$  parameters by maximum likelihood fit of the additive model to determine the relationship (if any) between gloss and mesotexture. Figure 4c shows the averaged parameter estimates for all observers in Experiment 1 (top panel) and 2 (bottom panel). Parameter estimates for the observers shown in 4a and 4b are indicated by open circles. Note that the parameter estimates were first normalized to the maximum value of  $B_j^B$  (or  $G_i^g$ ) for each observer to best illustrate the relative magnitude of cue contamination. The monotonically increasing form of  $B^b(.)$  shows that perceived bumpiness increased with bumpiness level. Likewise, perceived gloss increased with gloss level. This is not surprising given that observers were screened in advance to ensure that their ordering of bumpiness and gloss was close to veridical. What is surprising is that the functions of perceived bumpiness and gloss were strikingly similar across all observers in each respective experiment (data not shown, except indirectly in Figure 5) suggesting that observers used one common perceptual scale for bumpiness and one for gloss in each experiment. The internal scaling of bumpiness and glossiness can be described by simple transformations of the corresponding physical properties.

-- INSERT FIGURE 4 --

Were observers' judgments of bumpiness and gloss contaminated by cues to the irrelevant property? Clearly, all parameter estimates  $B_j^g$  and  $G_i^b$  were greater than zero for  $i, j = 2, \dots, 5$  for the two typical observers highlighted in Figure 4c. We tested whether there was significant contamination of bumpiness judgments by changes in gloss and vice versa for all observers using a nested hypothesis test (Mood et al., 1974, p. 440 ff.).

To do this, we fit an *Independent-Property Model* in which these task-irrelevant contributions ( $B_i^g$  and  $G_j^b$ ) were fixed at zero. Thus, for perceived bumpiness, the independent-property model has only four parameters ( $B_2^b$ ,  $B_3^b$ ,  $B_4^b$ , and  $B_5^b$ ) and likewise for the gloss model. The fits of these independent-property models were compared to the additive-model fits by the same likelihood-ratio test. The independent-property model was rejected for four out of six observers in both Experiments 1 and 2 at the Bonferroni-corrected level ( $\chi^2 \geq 0.089$ ,  $p < 0.008$ ). In other words, most observers could not ignore cues to gloss in making judgments of bumpiness and, similarly, could not ignore cues to bumpiness in making judgments of glossiness. An increase of gloss increased perceived bumpiness on average for all observers by as much as 11% of the range of bumpiness levels we used. Likewise, glossiness judgments for surfaces with higher bumpiness level increased by as much as 27% of the range of gloss levels used here.

We plot the same curves shown in Figure 4c in a form commonly used in analysis of variance in Figures 5a and 5b (top rows, solid lines) for all observers in Experiments 1 and 2, respectively. The solid lines correspond to the fit of the additive model. The additive model forces these level contours to be parallel. The clean separation of the contours confirms that perceived bumpiness increased with physical bumpiness and perceived gloss increased with physical glossiness for all observers (identical to the upper curves in Figure 4c). Almost all observers perceived an increase in bumpiness with increasing gloss level as shown by the slight upward trend in almost all of the bumpiness level contours (Figure 5a). Similarly, most observers could not ignore bumpiness when making judgments of glossiness (Figure 5b), although in this case the trend was less clearly monotonic again confirming the trend observed in Figure 4c.

-- INSERT FIGURE 5 --

To test whether interactions between bumpiness and glossiness observed in our data were statistically significant, we compared three different nested models to each other. We introduced and defined the simple additive “contamination” model in Eqs. 1 and 2. Here, we compare the fit of the additive model to that of the *Full Model* that allows

nonlinear interactions between the two cues. In the full model, we model the perceived bumpiness  $B_{ij}^F$  as an unconstrained value

$$B_{ij}^F = B^F(g_i, b_j), \quad (4)$$

and we model perceived gloss similarly,

$$G_{ij}^F = G^F(g_i, b_j). \quad (5)$$

As before, we assume that, in comparing the perceived bumpiness of surfaces  $S_{ij}$  and  $S_{kl}$ , the observer forms the noise-contaminated decision variable

$$\Delta = B_{ij}^F - B_{kl}^F + \varepsilon, \quad \varepsilon \sim \text{Gaussian}(0, \sigma^2) \quad (6)$$

and judges surface  $S_{ij}$  as bumpier precisely when  $\Delta > 0$ . Again, without loss of generality, we anchor the scale by setting  $B_{11}^F = 0$  and set  $\sigma = 1$ . We then estimate the remaining 24 values  $B_{ij}^F$ . We fit the glossiness judgments analogously.

The full model parameter estimates of  $B_{ij}^F$  and  $G_{ij}^F$  are plotted as dashed lines in Figures 5a and 5b, respectively. We performed a nested hypothesis test (Mood et al., 1974, p. 440 ff.) to determine whether the full model resulted in a significantly better fit to the choice data than the more constrained additive model. The nested hypothesis test revealed that the additive model performed just as well as the full model for five out of the six observers in Experiment 1 and three out of six of the observers in Experiment 2 at the Bonferroni-corrected level ( $\chi^2 \geq 32.61, p < 0.008$ ). This suggests that the additive model sufficiently describes the interactions observed in the data for 8 out of the 12 total observers. Table 1 reports the log-likelihood and corresponding  $p$  values.

We also regressed the additive model predictions against the full model predictions to examine any differences between the two models in more detail.  $R^2$  values ranged from 0.97 to 0.99 (median 0.98) for the six observers in Experiment 1 and 0.83 to 0.99 (median 0.96) for Experiment 2 suggesting that for all observers, including those who exhibited significant differences between the additive and full model predictions, both model predictions were strikingly similar. To determine if the full model differed from the additive model predictions in a systematic way, we computed the

residual differences between the two models for both judgments (i.e.,  $B_{ij}^F - B_{ij}^A$  and  $G_{ij}^F - G_{ij}^A$ ), and normalized the residuals for each subject to have mean 0. Gray-scale plots of the normalized residuals are shown in the bottom rows of Figures 5a and 5b. The residual values are small and show no obvious common pattern. Thus, we conclude that the additive model is adequate to model the data.

## Discussion

In this study, we used conjoint measurement to derive scales for the perceptual correlates of two surface material properties, gloss and bumpiness. An ideal observer judging glossiness should ignore variations in surface texture, and vice versa. In contrast, most human observers in our study perceived physically glossier surfaces to be bumpier and physically bumpier surfaces to be glossier, despite the availability of binocular disparity, a cue potentially used to disambiguate bumpiness from gloss. This pattern of interactions at the mesoscale is similar to that found in previous studies concerning glossiness and megascale judgments of shape. In these studies, curved surfaces that are glossy appear to have a greater degree of surface curvature or vice versa (Braje & Knill, 1994; Mingolla & Todd, 1986; Nishida & Shinya, 1998; Todd & Mingolla, 1983; Todd et al., 1997).

In terms of the estimated perceptual scales, we found that we could model the interaction of the two properties as a simple additive “contamination” of each by the other. The degree of contamination, while significant, is small on average across observers: about 11% for contamination of bumpiness by gloss and 27% for contamination of gloss by bumpiness, relative to the range produced by the relevant cue.

What might explain the interactions observed here? Researchers have proposed that the visual system makes use of simple, image-based statistics to evaluate material properties. In particular, Nishida & Shinya (1998) found that visual estimates of surface reflectance could be modeled by a luminance histogram-matching algorithm. Recently, Motoyoshi, Nishida, Sharan, & Adelson (2007) found that visual estimates of gloss correlated well with the skewness of the distribution of luminance values and that changing the skewness of the distribution affected perception of both surface lightness and glossiness. Motoyoshi et al. (2007) proposed a biologically plausible model for the

perception of surface reflectance properties based on outputs of units in the visual system sensitive to the statistics of an image of a surface.

If the visual system relies on simple, image-based statistics in judging a surface property such as gloss, then changes in other surface properties or viewing conditions that affect these image statistics may lead to errors in estimating the surface property in question. We found that human observers' estimates of surface roughness were affected by image statistics that varied not only with surface roughness but also with lighting conditions and viewpoint (Ho et al., 2006, 2007). We proposed that the observed failures in "roughness constancy" were due to erroneous cue learning and indeed, it has been shown that associative learning can affect perceptual appearance (for review, see Haijiang, Saunders, Stone, & Backus, 2006). We advance a similar hypothesis here, that observed interactions are the result of imperfect cue learning, an error that can potentially be reduced with further training involving both visual and haptic assessment of a range of bumpy, glossy surfaces.

Judgments of glossiness, bumpiness, and global shape all provide information about the structural properties of the orange in Figure 1 but at very different spatial scales. The conjoint measurement procedure we employed here allows us to simultaneously estimate the mapping between information at two of these scales and assess how information at one scale affected perception at the other. We found that both the derived perceptual scales and the interaction could be modeled in a remarkably simple form. Conjoint measurement is one type of scaling procedure that is potentially a powerful tool for analyzing surface material perception and, more generally, the perception of more complex visual scenes.

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## Figure and Table Captions

**Table 1.** Model comparisons. Log-likelihood values for various models and  $p$ -values for nested hypothesis tests for selected model comparisons. (**Bold** indicates  $p$ -values that were significant at the Bonferroni-corrected alpha level, 0.008.)

**Figure 1.** An example of a typical object (an orange) that has (a) megascale, (b) mesoscale, and (c) microscale properties.

**Figure 2.** Examples of real world mesoscale texture (a) with and (b) without specular highlights. Images of the raspberries without specular highlights were created by using a polarizing filter and the image of the toad was created by digitally removing highlights using the Adobe Photoshop CS<sup>TM</sup> software.

**Figure 3.** (a) Example stimulus stereo pair. Stimuli were green surface patches composed of 20 x 20 intersecting ellipsoids. This example has physical bumpiness level  $i = 3$  and gloss level  $j = 2$ . The left and right image pairs are for crossed and uncrossed viewing, respectively. (b) One representative set of stimuli showing all combinations of gloss and bumpiness level.

**Figure 4.** Results for Experiments 1 & 2. (a) Bumpiness judgments made by one typical observer RK in Experiment 1 (left panel) and predicted judgments of bumpiness uncontaminated by changes in physical gloss for the ideal observer (right panel). The gray level of each square in the matrix represents the proportion of time that Surface B was perceived bumpier than Surface A for each pairwise comparison. (b) Glossiness judgments made by one typical observer FC in Experiment 2 (left panel) and predicted judgments of glossiness uncontaminated by changes in physical bumpiness for the ideal observer (right panel). (c) Averaged normalized additive model parameter estimates for all observers are shown for Experiment 1 (top panel) and 2 (bottom panel). Parameter estimates for bumpiness or glossiness judgments as a function of gloss level— $B_i^g$  or  $G_i^g$ , respectively—are indicated in gray and as a function of bumpiness level— $B_j^b$  or

$G_j^b$ , respectively— are indicated in black. Parameter estimates for observers RK and FC are indicated by the open circles in each respective plot. Standard errors across observers are plotted for each experiment (N=6).

**Figure 5.** Full and additive model predictions and residual differences for all observers in Experiments 1 & 2. (a) Estimates of perceived bumpiness from the fits of the full ( $B_{ij}^F$ , dashed curves) and additive ( $B_{ij}^A$ , solid curves) models are plotted as a function of gloss level, with bumpiness level as the parameter. Corresponding residual differences  $B_{ij}^A - B_{ij}^F$  are shown as grayscale plots in the bottom row. (b) Similar plots of perceived gloss estimates from the full ( $G_{ij}^F$ , dashed curves) and additive ( $G_{ij}^A$ , solid curves) models as a function of bumpiness level with gloss level as the parameter. Again, corresponding residual differences  $G_{ij}^A - G_{ij}^F$  are shown in the bottom row. Significant differences between the additive and independent-property model fits are indicated with the ♦ symbol. Significant differences between the full and additive model fits are indicated with the ❖ symbol. (Note: Residuals were forced to have mean 0; an additive shift of scale values leaves the predictions of both models unchanged.)

**Table 1**

| Model/Test                          | No. of<br>Parameters | Observers          |                    |                    |                    |                    |         |
|-------------------------------------|----------------------|--------------------|--------------------|--------------------|--------------------|--------------------|---------|
| Experiment 1.                       |                      | BM                 | CL                 | NB                 | RK                 | RY                 | SG      |
| I. Full Model                       | 24                   | -241.95            | -182.05            | -236.88            | -230.77            | -258.31            | -370.78 |
| II. Additive<br>Model               | 8                    | -248.857           | -188.56            | -254.30            | -238.24            | -267.17            | -380.73 |
| I vs. II                            | --                   | 0.612              | 0.671              | <b>0.004</b>       | 0.528              | 0.340              | 0.225   |
| III. Independent-<br>Property Model | 4                    | -267.11            | -239.92            | -267.75            | -250.06            | -273.67            | -385.27 |
| II vs. III                          | --                   | <b>&lt; 0.0001</b> | <b>&lt; 0.0001</b> | <b>&lt; 0.0001</b> | <b>&lt; 0.0001</b> | 0.011              | 0.059   |
| Experiment 2.                       |                      | AT                 | FC                 | IZ                 | KK                 | LV                 | SF      |
| I. Full Model                       | 24                   | -337.27            | -259.48            | -277.45            | -177.17            | -479.28            | -322.36 |
| II. Additive<br>Model               | 8                    | -340.71            | -273.73            | -302.84            | -250.38            | -495.82            | -337.49 |
| I vs. II                            | --                   | 0.976              | 0.028              | <b>&lt; 0.0001</b> | <b>&lt; 0.0001</b> | <b>0.007</b>       | 0.017   |
| III. Independent-<br>Property Model | 4                    | -379.09            | -335.90            | -308.10            | -278.37            | -544.04            | -343.08 |
| II vs. III                          | --                   | <b>&lt; 0.0001</b> | <b>&lt; 0.0001</b> | 0.033              | <b>&lt; 0.0001</b> | <b>&lt; 0.0001</b> | 0.024   |

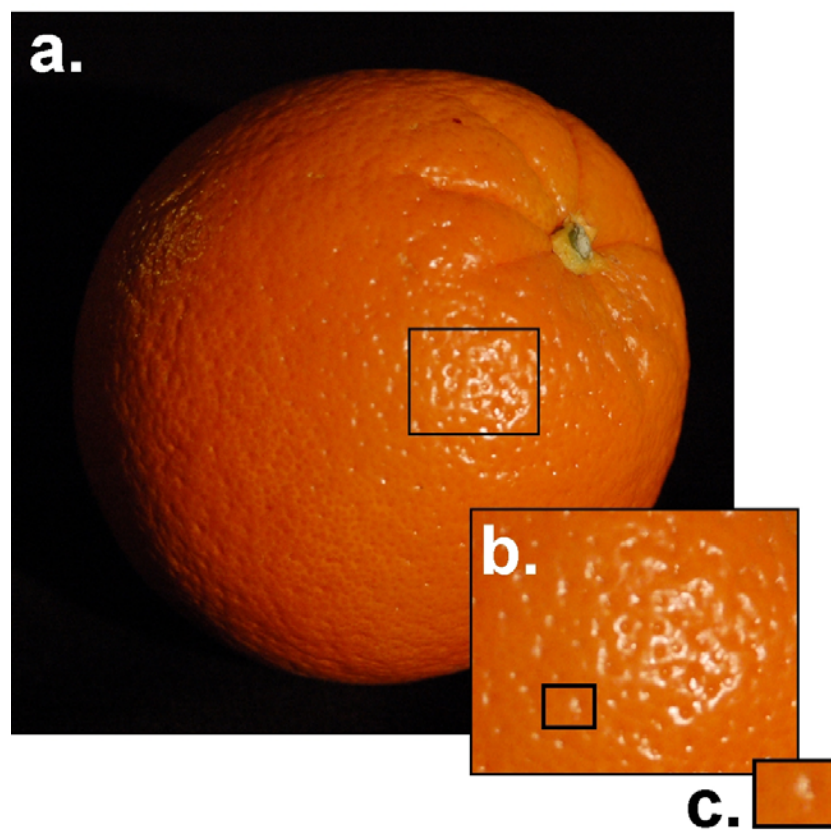


Figure 1



Figure 2

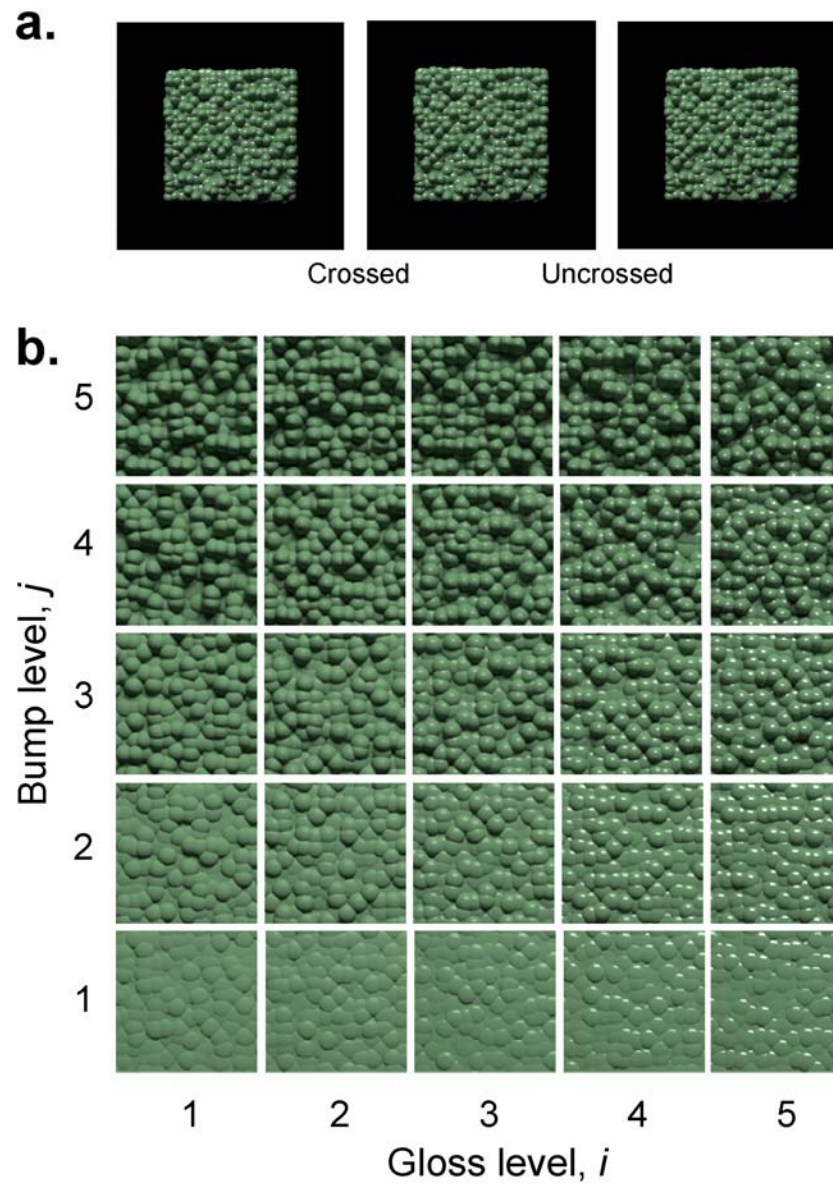


Figure 3

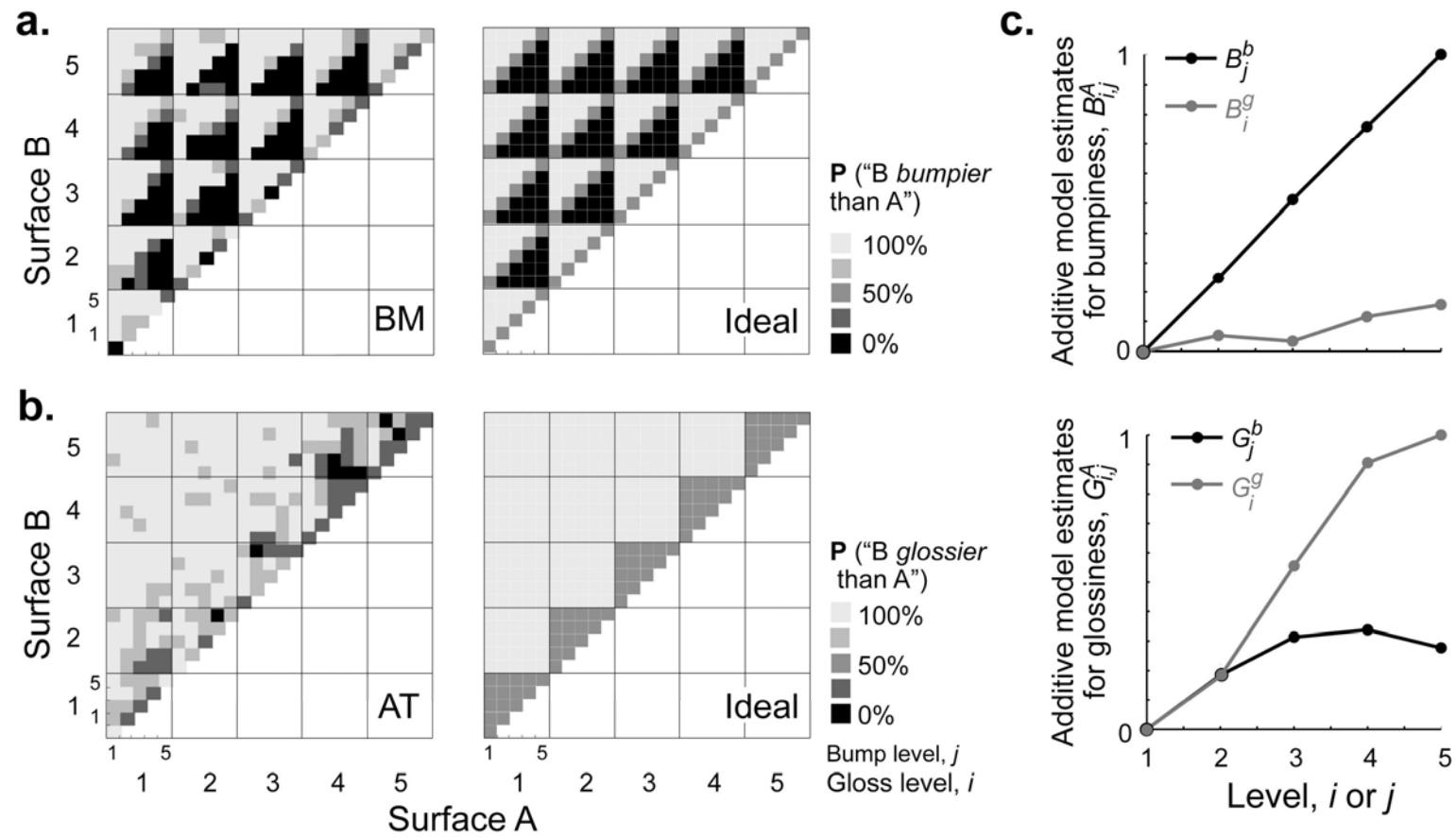


Figure 4

