

Computational Neuroscience: Vision

Introduction to
Statistical Decision/Estimation

Stat. Estimation/Decision theory

Optimal extraction of quantities from data
(under noisy conditions):

- Model fitting (parameter estimation)
- Population decoding
- Linking neural response to perception (signal detection theory, ideal observer theory)

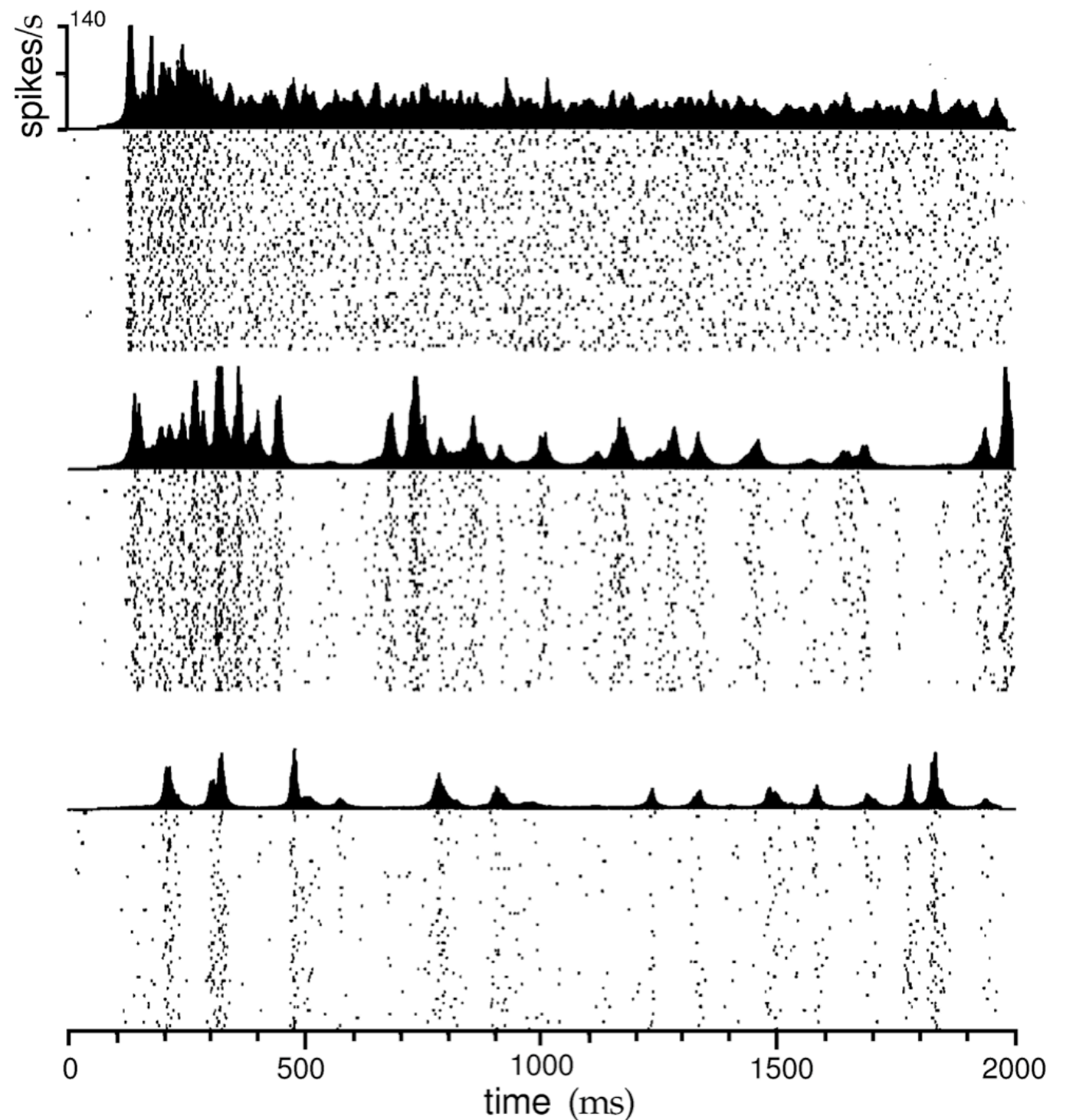
Probability basics

- Joint: $P(\text{meas \& actual})$
- Marginal: $P(\text{meas}), P(\text{actual})$
- Conditional: $P(\text{meas} \mid \text{actual})$
- Bayes' Rule
- Forward and inverse descriptions

(on board)

The scientist's perspective

$P(\text{spikes} \mid \text{stim})$



The organism's perspective

$$P(\text{stim} \mid \text{spikes})$$

The organism must “read” noisy responses, infer something about the stimulus, and respond (make judgements about it, remember it, or act on it).

The organism's perspective



[the homunculus, from “Men in Black”]

- Estimation: general
- Estimation: ML, MAP, Bayes
 - Simple example: additive noise
- Decision: ML, MAP, Bayes
 - Simple example: intensity discrimination

(on board)